



# **OVERFLOW Analysis of the DLR F11 Geometry for HiLiftPW-2**

**James G. Coder**

*Graduate Assistant/NDSEG Fellow*

*Penn State University*

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## Solution Methods

- Solver: OVERFLOW 2.2e/2.2f
  - RHS: 3<sup>rd</sup>-order accurate Roe upwind
  - LHS: Scalar pentadiagonal approximate factorization
  - Low-Mach preconditioning
  - Recommended artificial dissipation
  - Grid sequencing and multigrid acceleration
  - Non-time accurate solution
    - Convergence assumed when force/moment limit cycles are reached
- Grids: Committee-provided structured overset grids (series E)
  - Generated by Boeing Huntington Beach
- Hardware
  - DoD HPC machines (AFRL and Navy DSRC Machines)



## Solution Methods

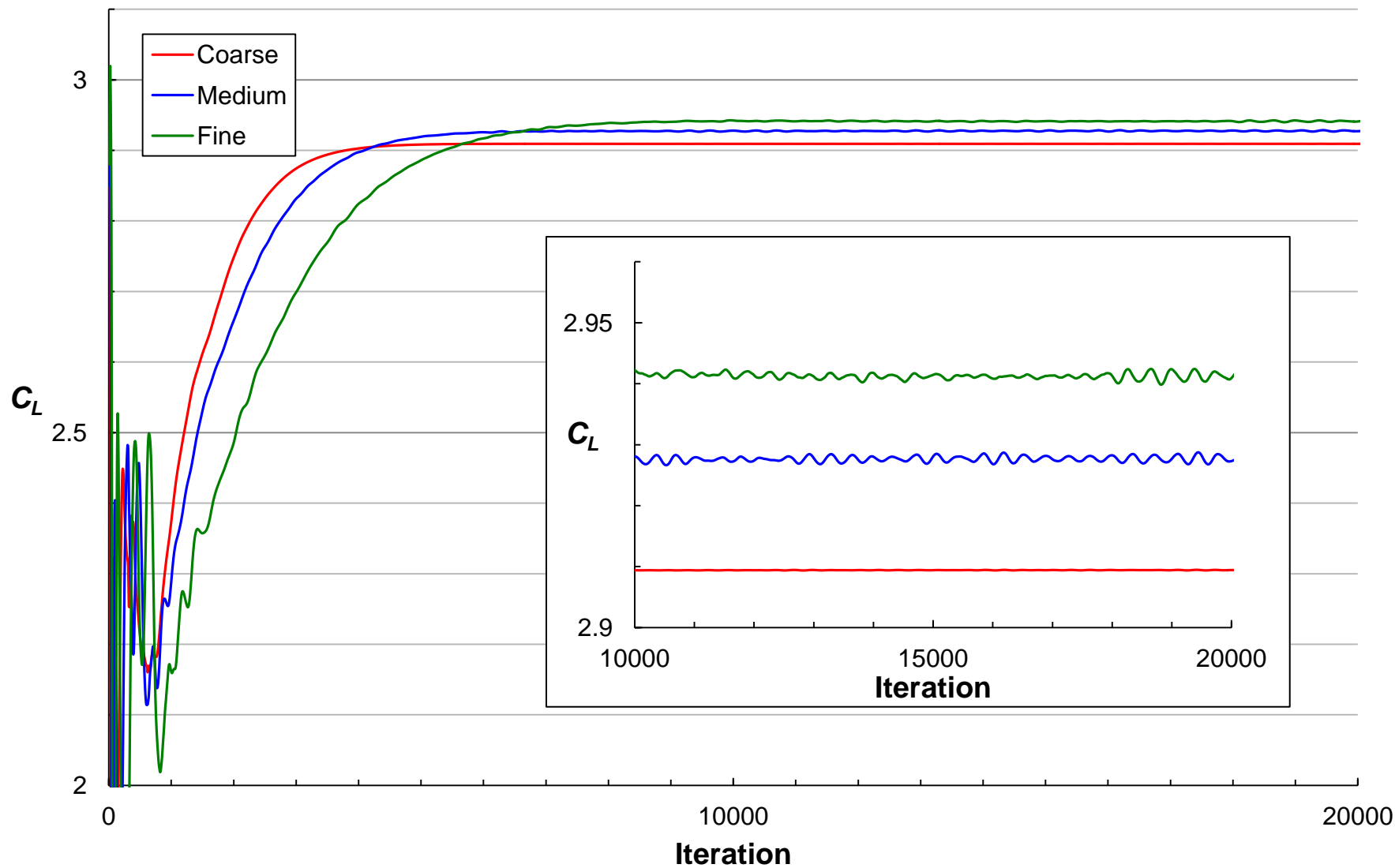
- Turbulence Modeling
  - SA (Cases 1, 2a, and 2b)
  - SA-RC (Case 1 – Medium, 2a, and 2b)
  - SA- $\tilde{n}$  (Transition – 2c)
  - SA-QCR2000- $\tilde{n}$  (Transition – 2c)
- Turbulence model studies limited by time and available computing resources
  - Originally planned for full studies of SA, SA-RC, SST, and SST-RC for Cases 1, 2a, and 2b
  - Also planned to compare behavior of Langtry-Menter model (both original and applied to the Spalart-Allmaras model) with the Penn State amplification factor transport model



# Grid Convergence Study (Case 1)

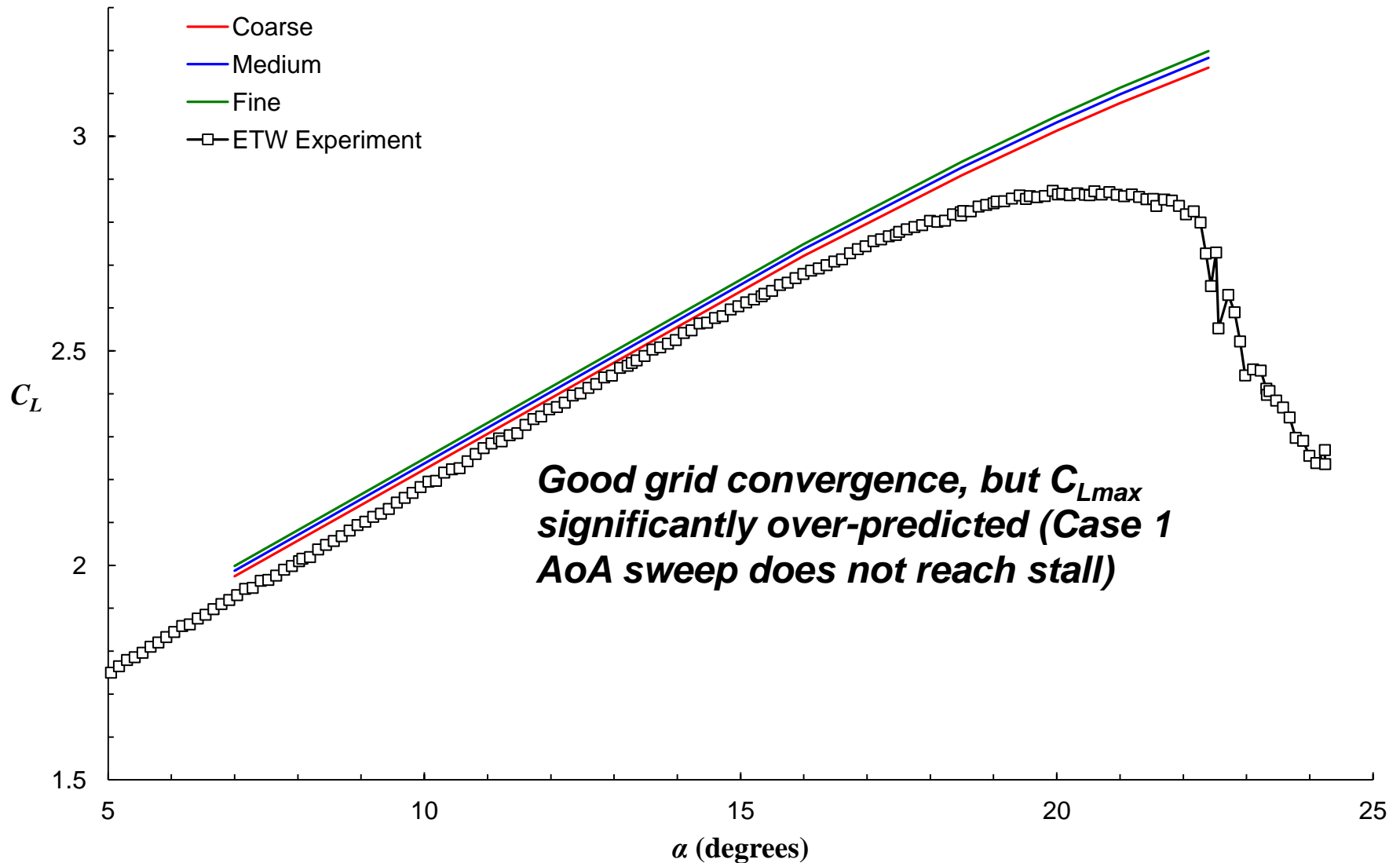


# Force/Moment Convergence Behavior



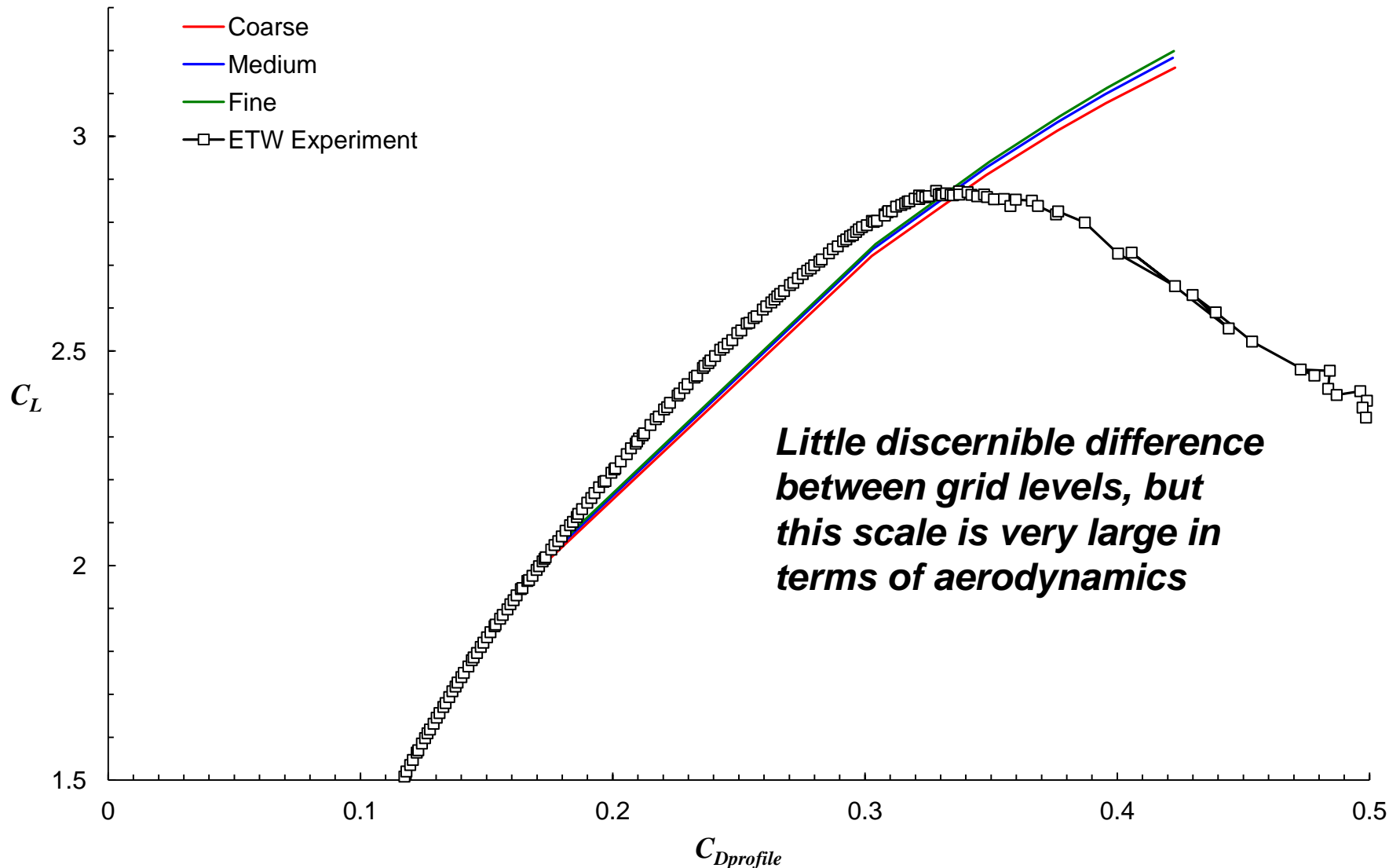


# Grid Convergence , R = 15.1 Million : Lift Curve



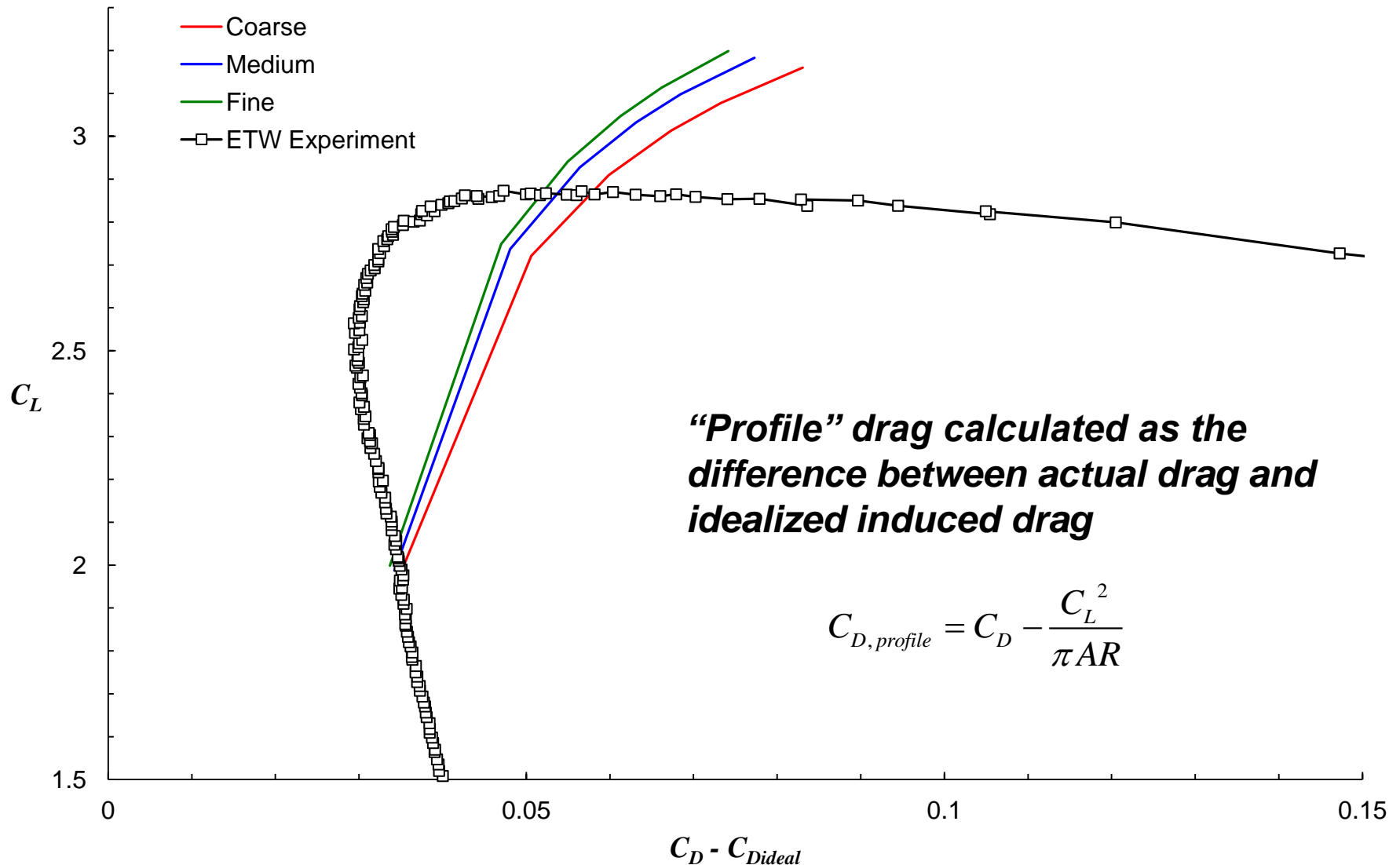


# Grid Convergence, R = 15.1 Million: Drag Polar





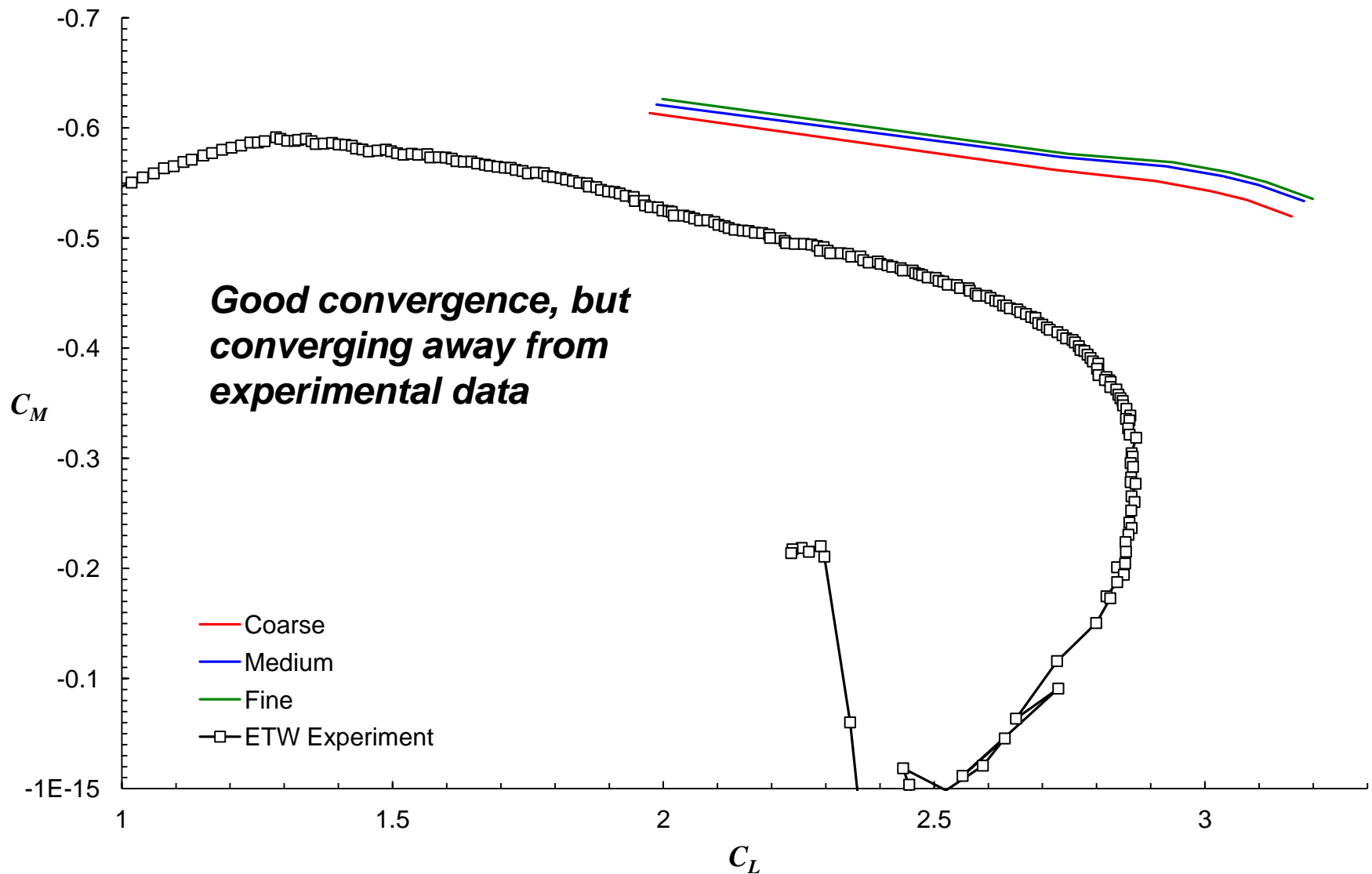
# Grid Convergence , R = 15.1 Million : Profile Drag Polar



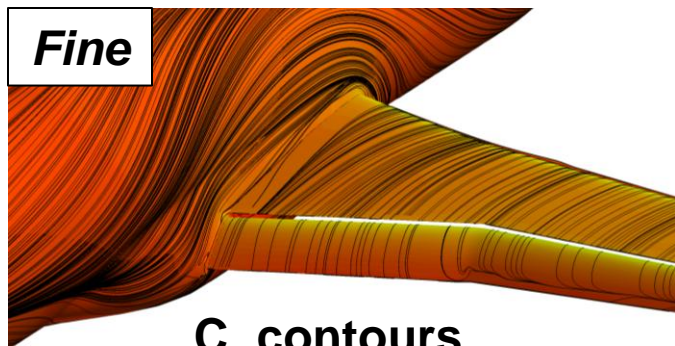
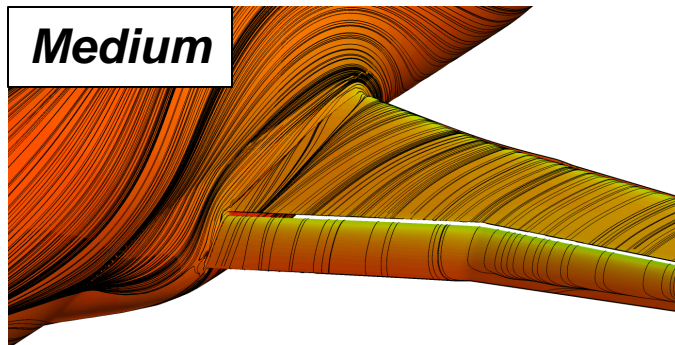
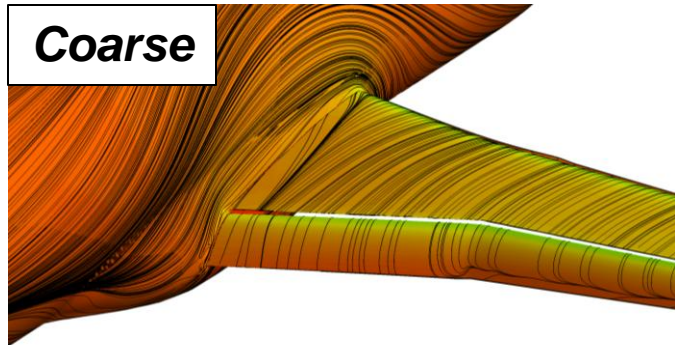




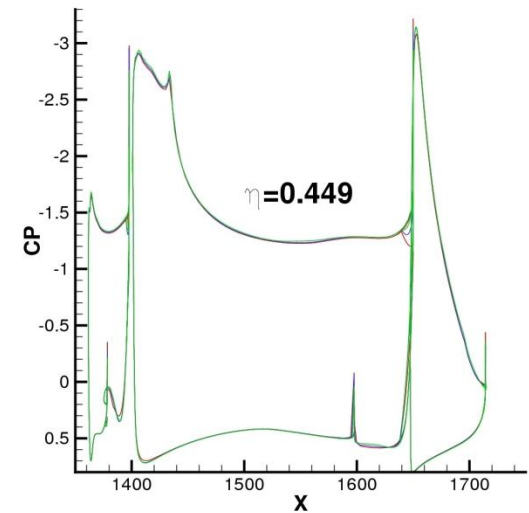
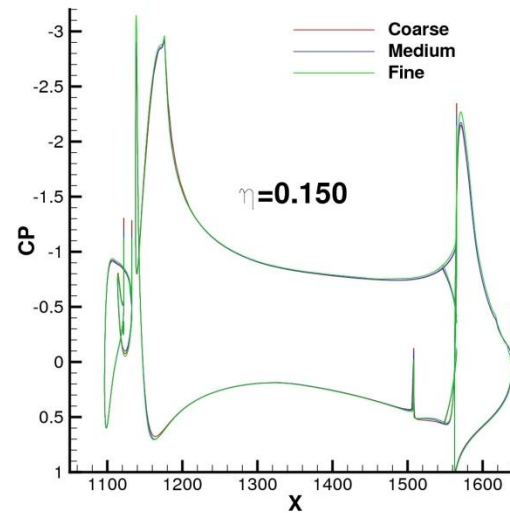
# Grid Convergence , R = 15.1 Million : Pitching Moment



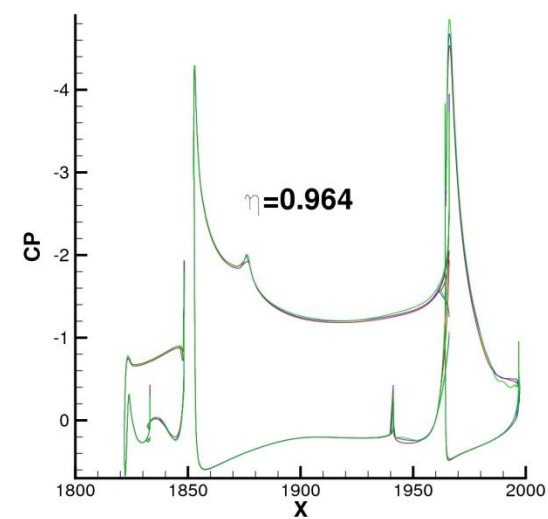
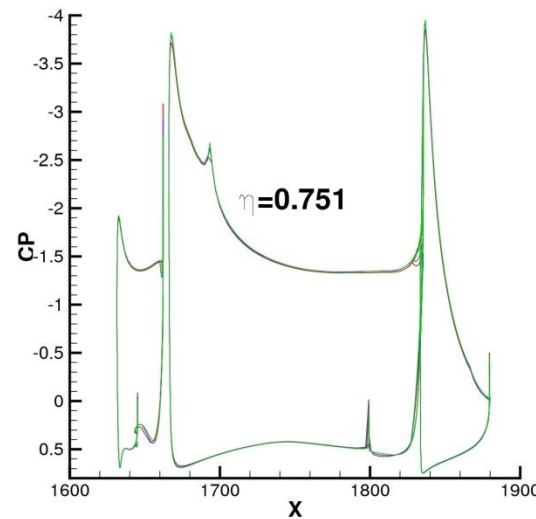
# High Re Grid Convergence Study



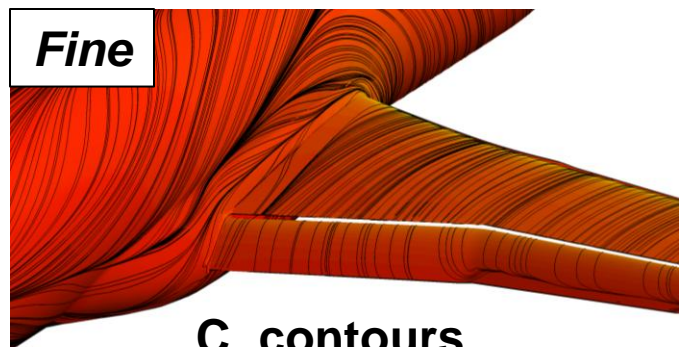
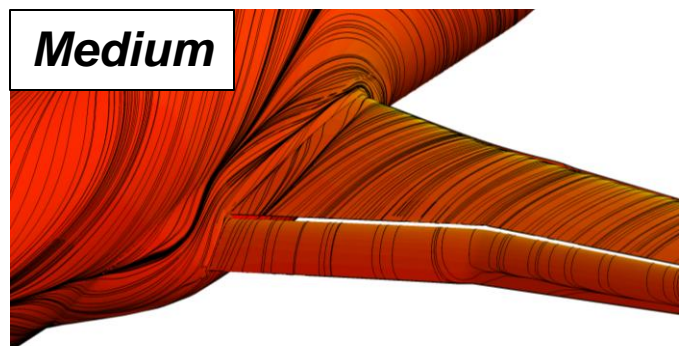
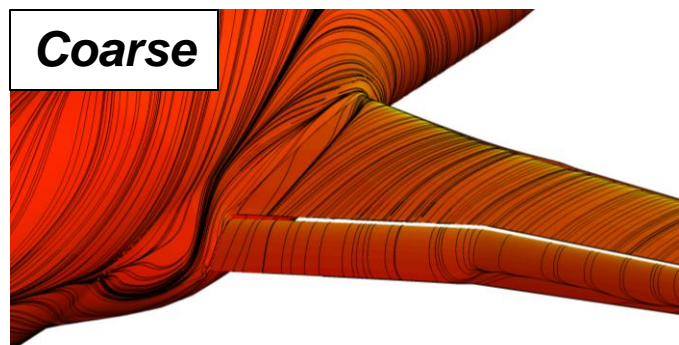
$C_p$  contours



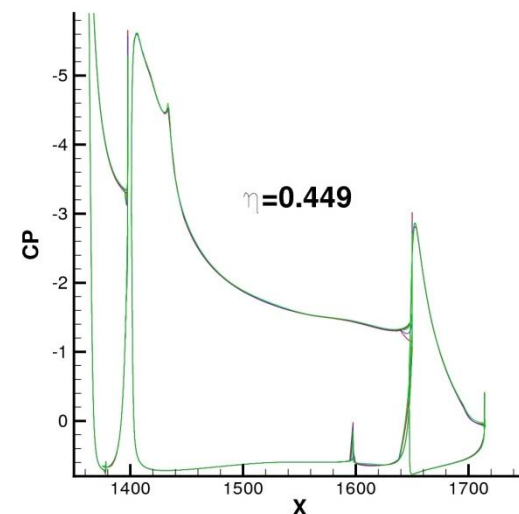
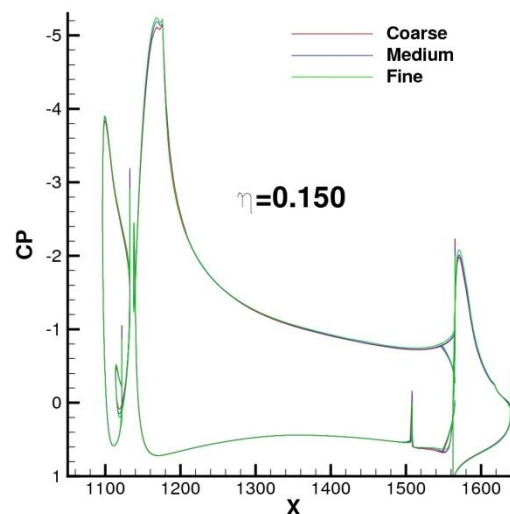
$R = 15.1e6, \alpha = 7^\circ$



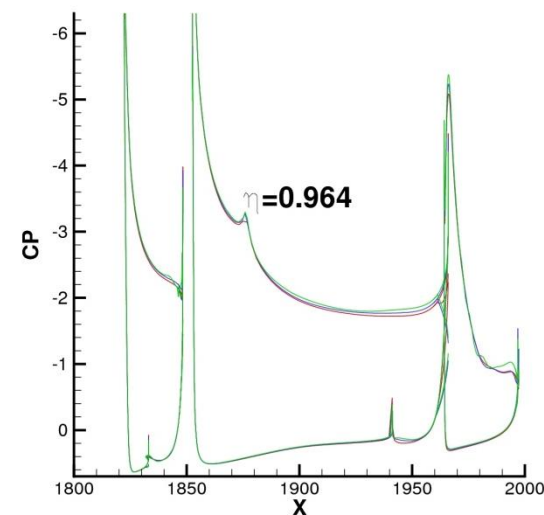
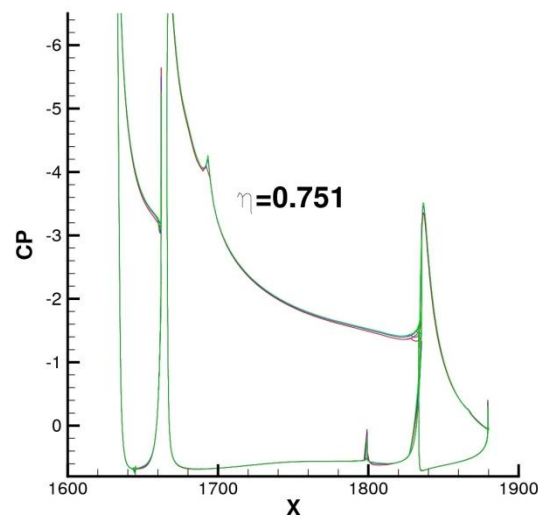
# High Re Grid Convergence Study



$C_p$  contours

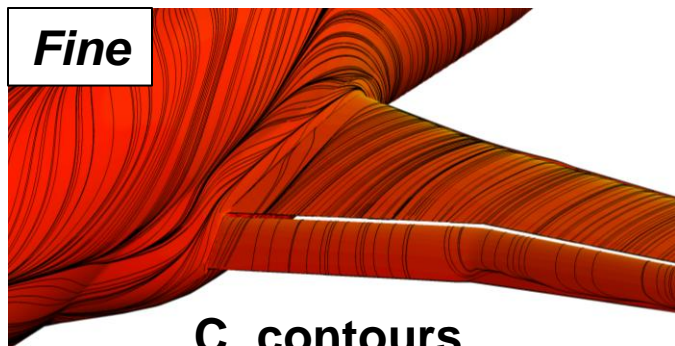
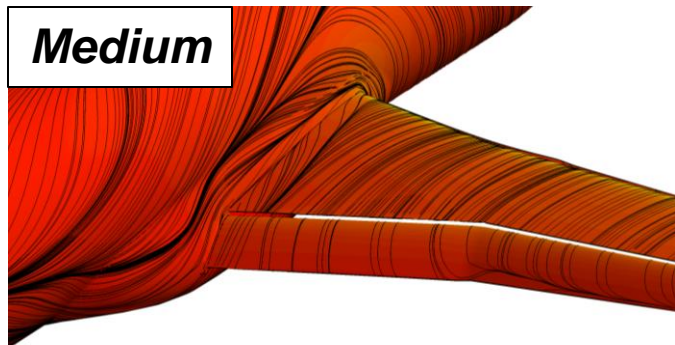
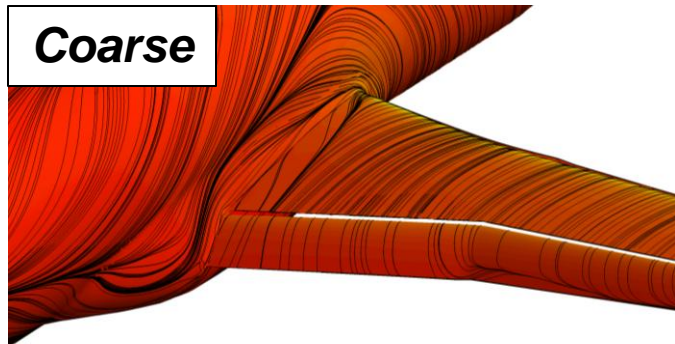


$R = 15.1e6, \alpha = 18.5^\circ$

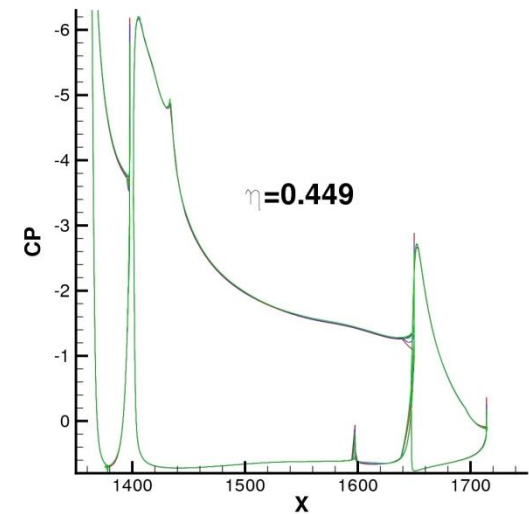
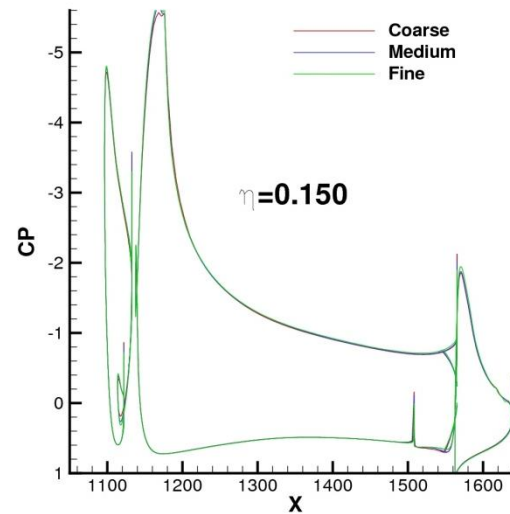




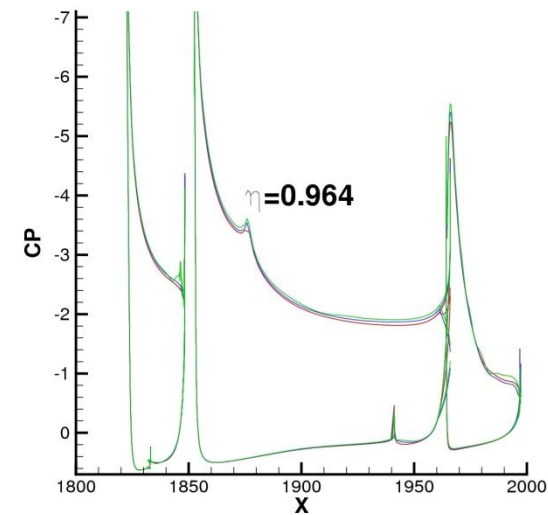
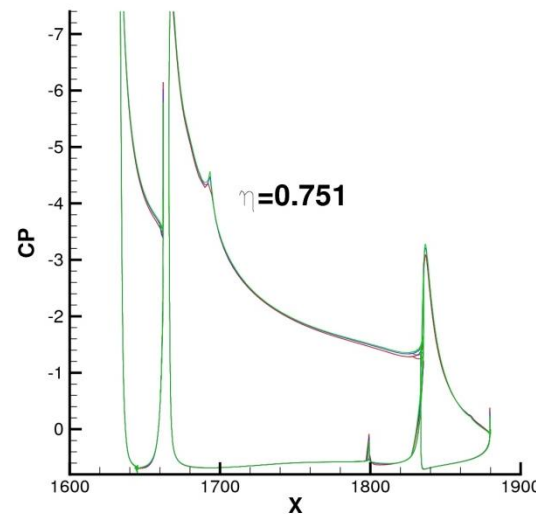
# High Re Grid Convergence Study



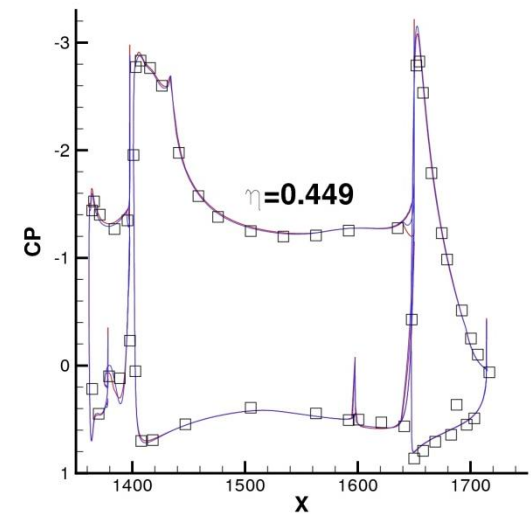
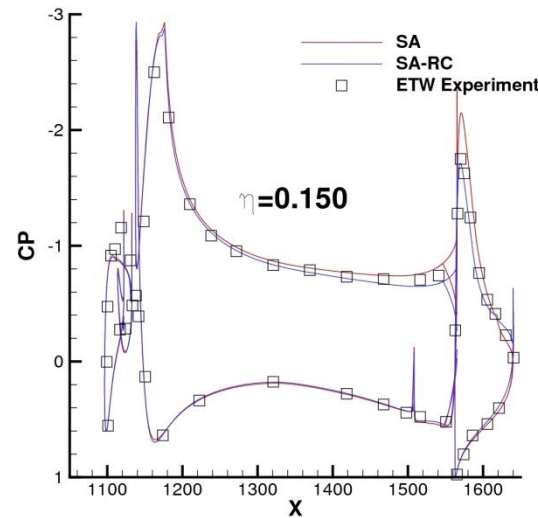
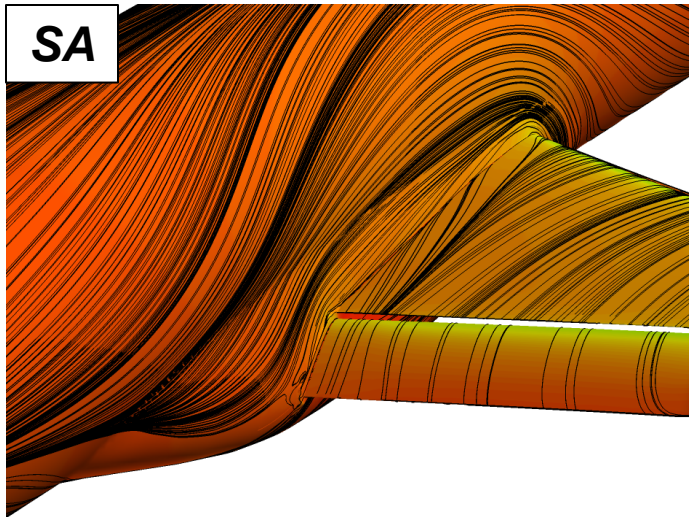
$C_p$  contours



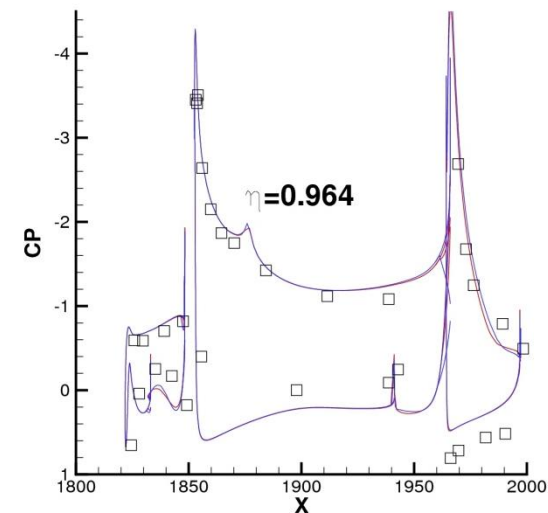
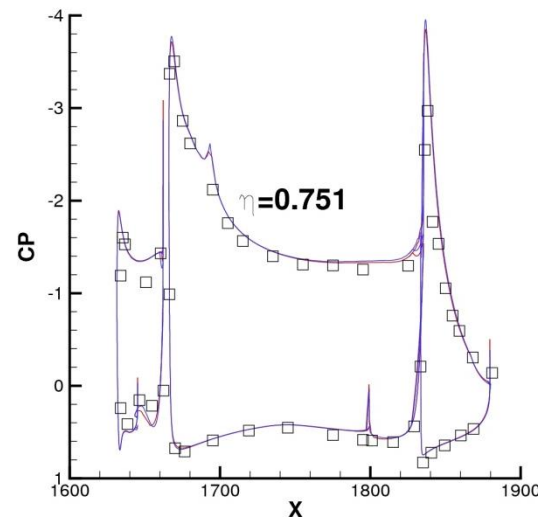
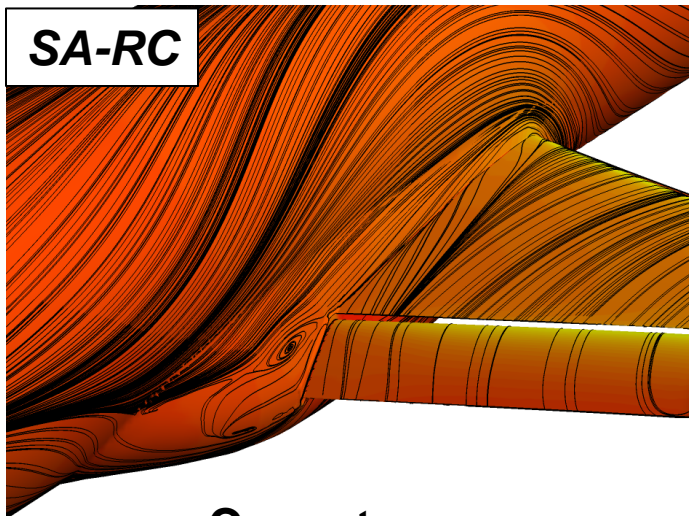
$R = 15.1e6, \alpha = 18.5^\circ$



# RC Correction, No Tracks, R = 15.1 Million



$R = 15.1e6, \alpha = 7^\circ$



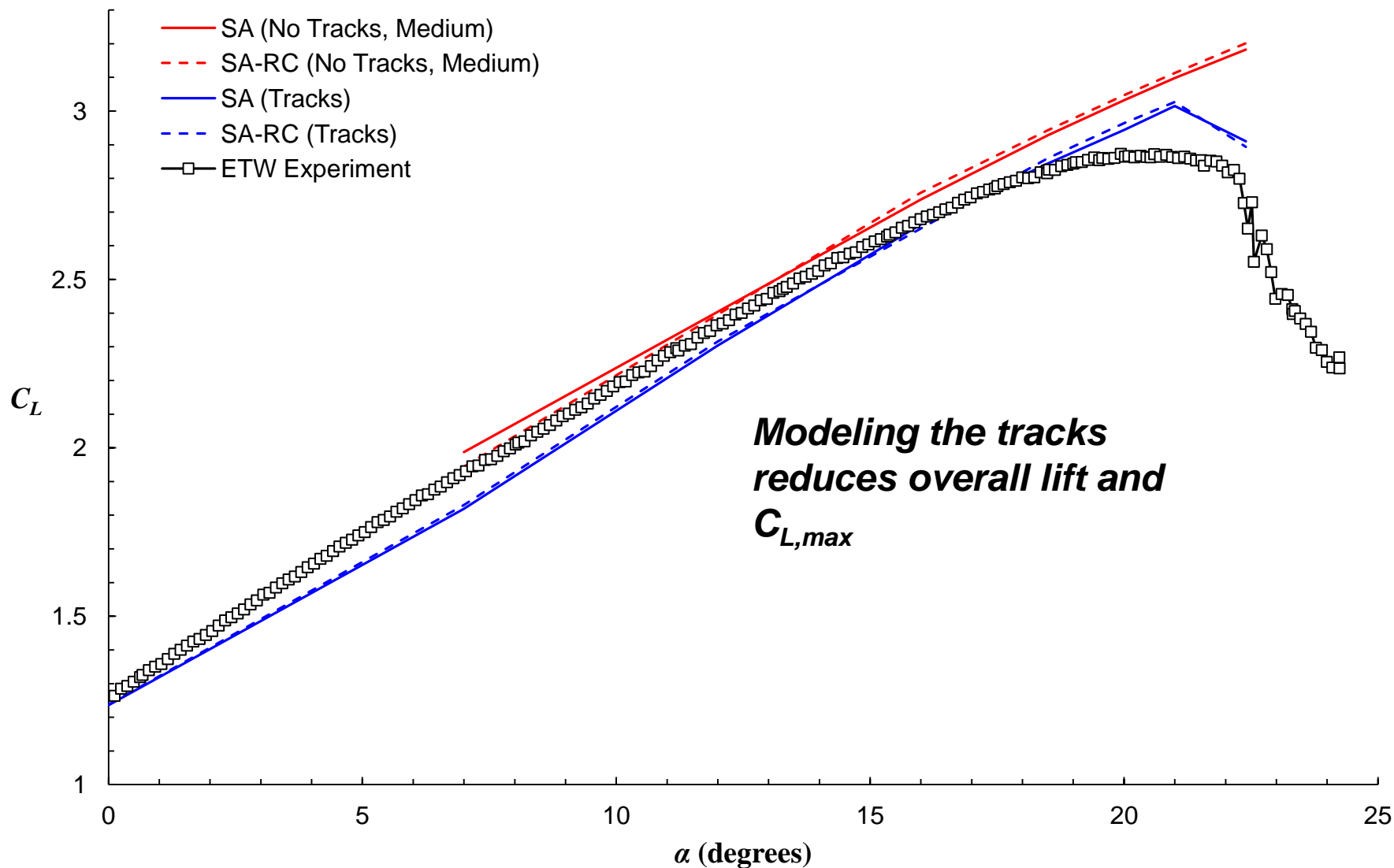
$C_p$  contours



# **Effect of Slat Tracks and Flap Track Fairings** ***(Cases 1 and 2b)***

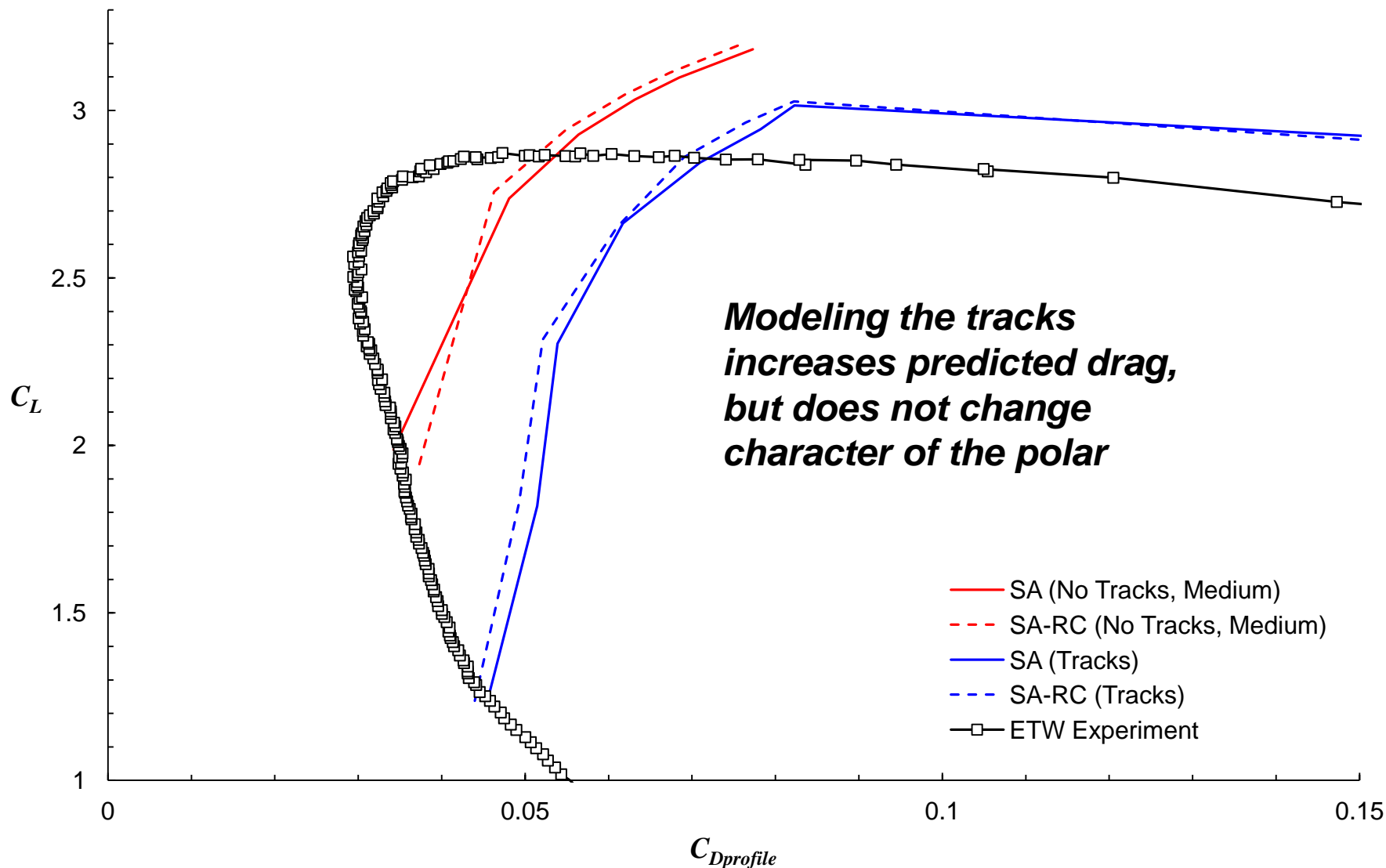


# Tracks/Fairings Effects, R = 15.1 Million: Lift Curve





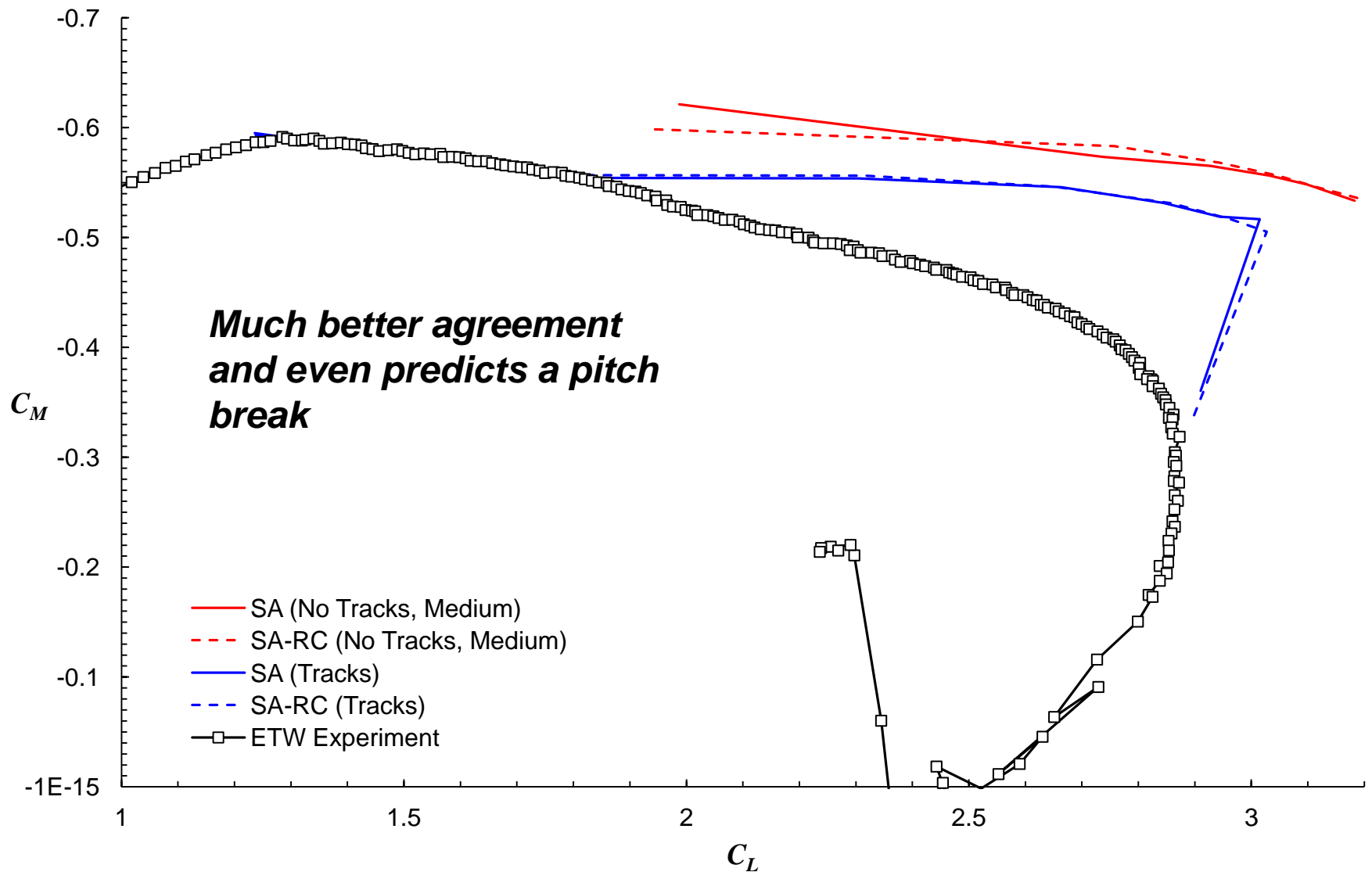
# Tracks/Fairings Effects, R = 15.1 Million: Drag Polar



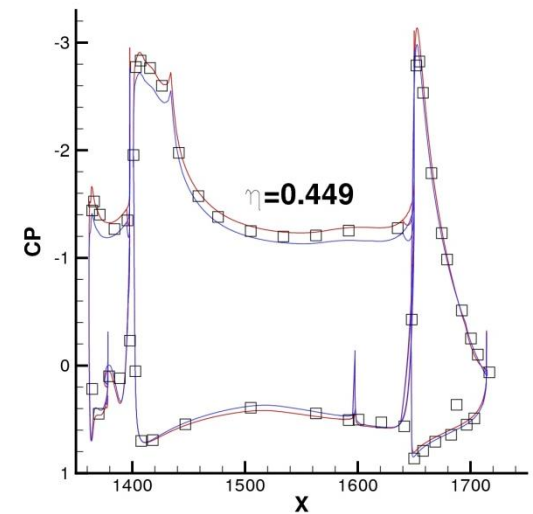
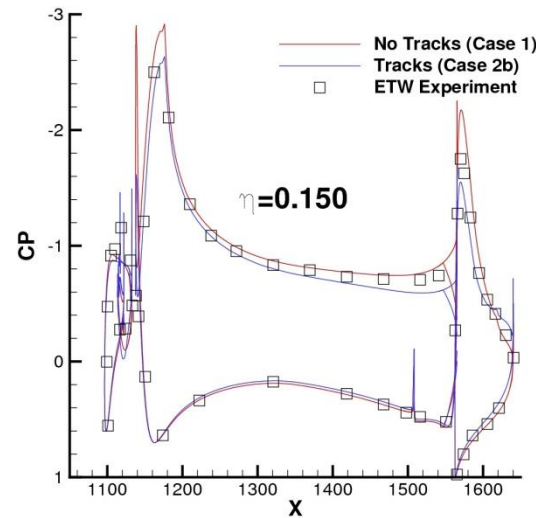
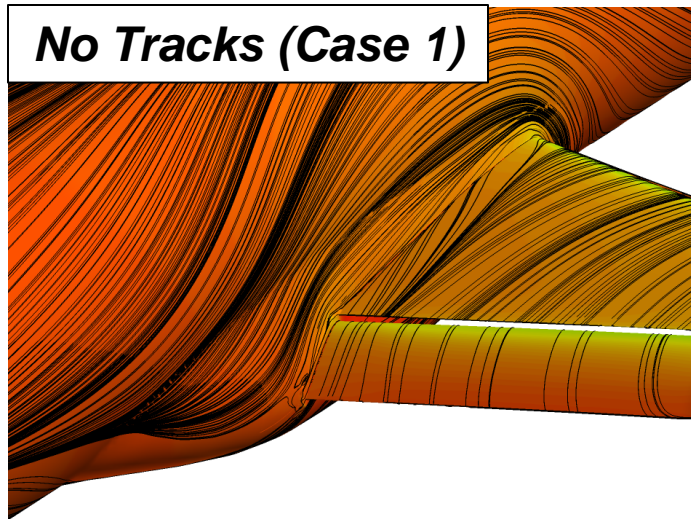




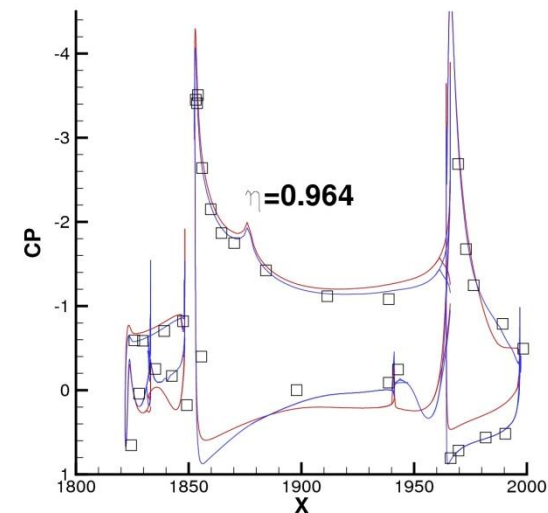
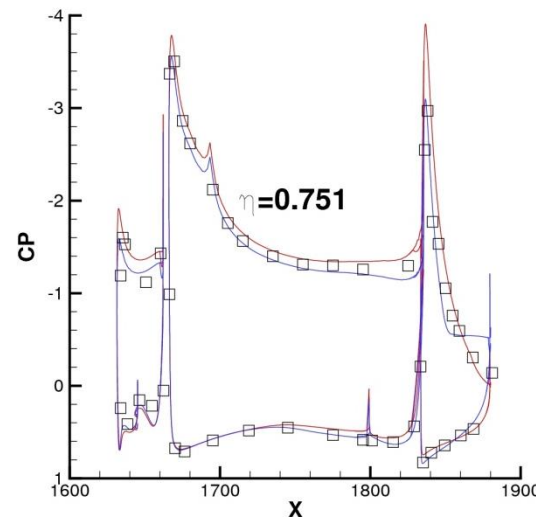
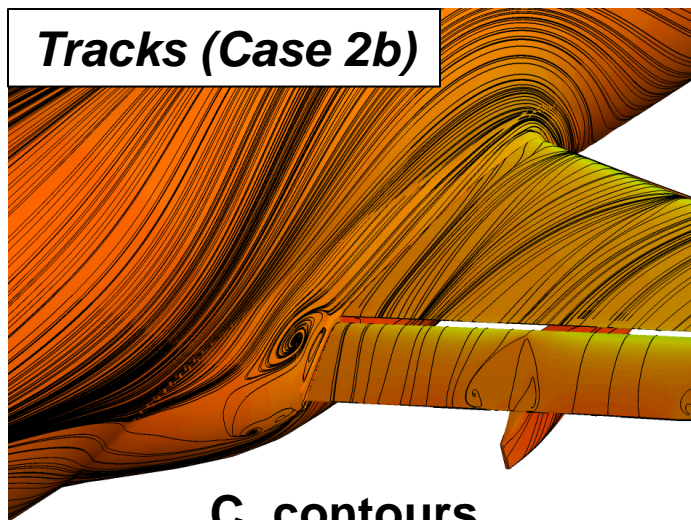
# Tracks/Fairings Effects, R = 15.1 Million: Pitching Moment



# Effect of Slat and Flap Tracks, $R = 15.1$ Million



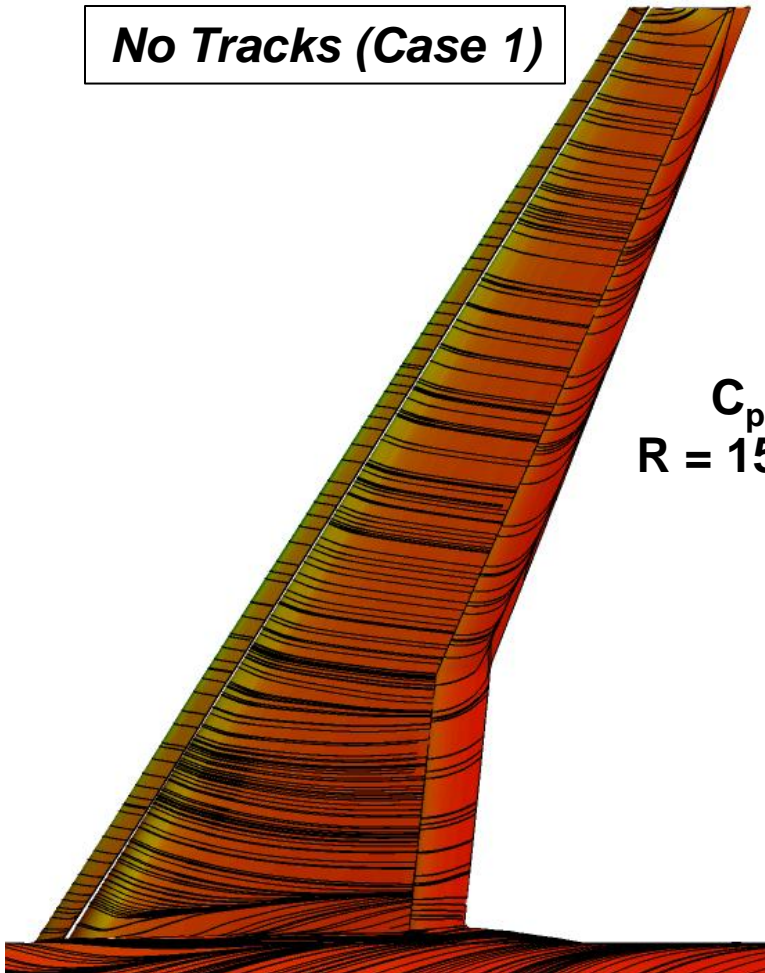
$R = 15.1e6, \alpha = 7^\circ$



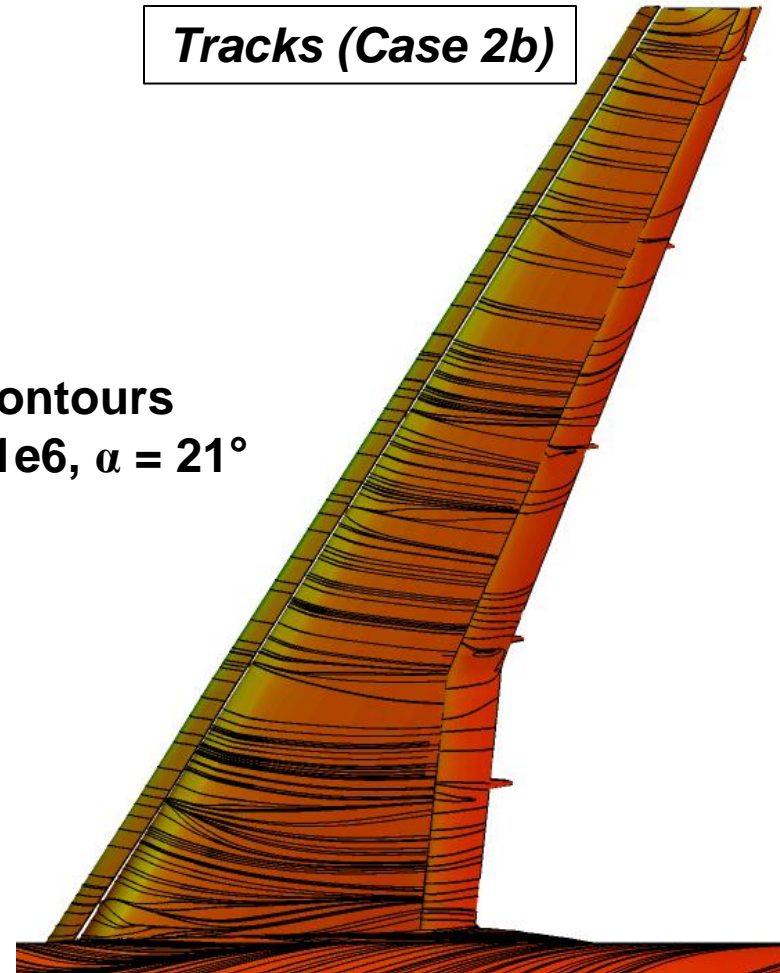
$C_p$  contours

# Effect of Slat and Flap Tracks, $R = 15.1$ Million

**No Tracks (Case 1)**



**Tracks (Case 2b)**



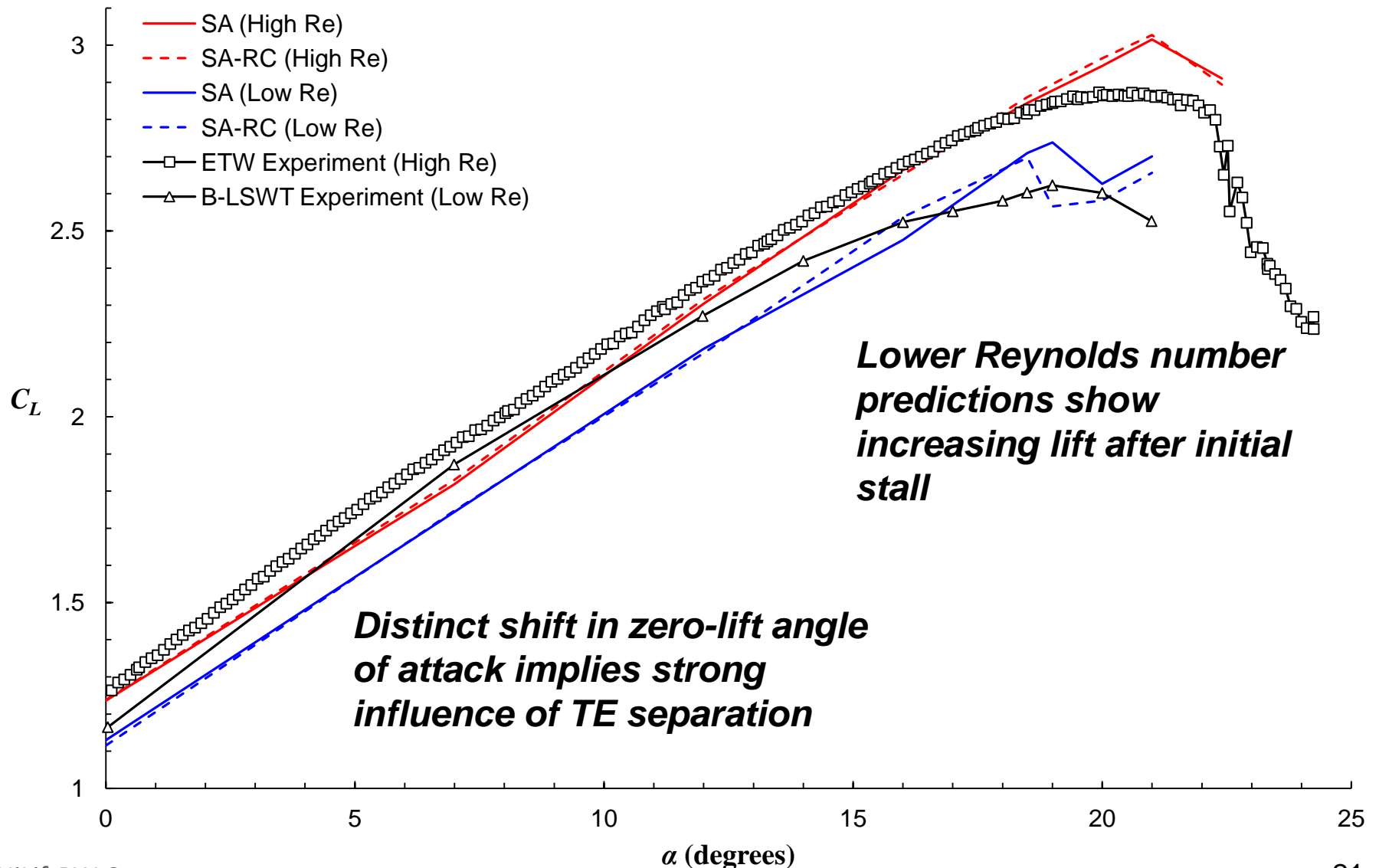
$C_p$  contours  
 $R = 15.1e6$ ,  $\alpha = 21^\circ$



# Reynolds Number Study (*Cases 2a and 2b*)

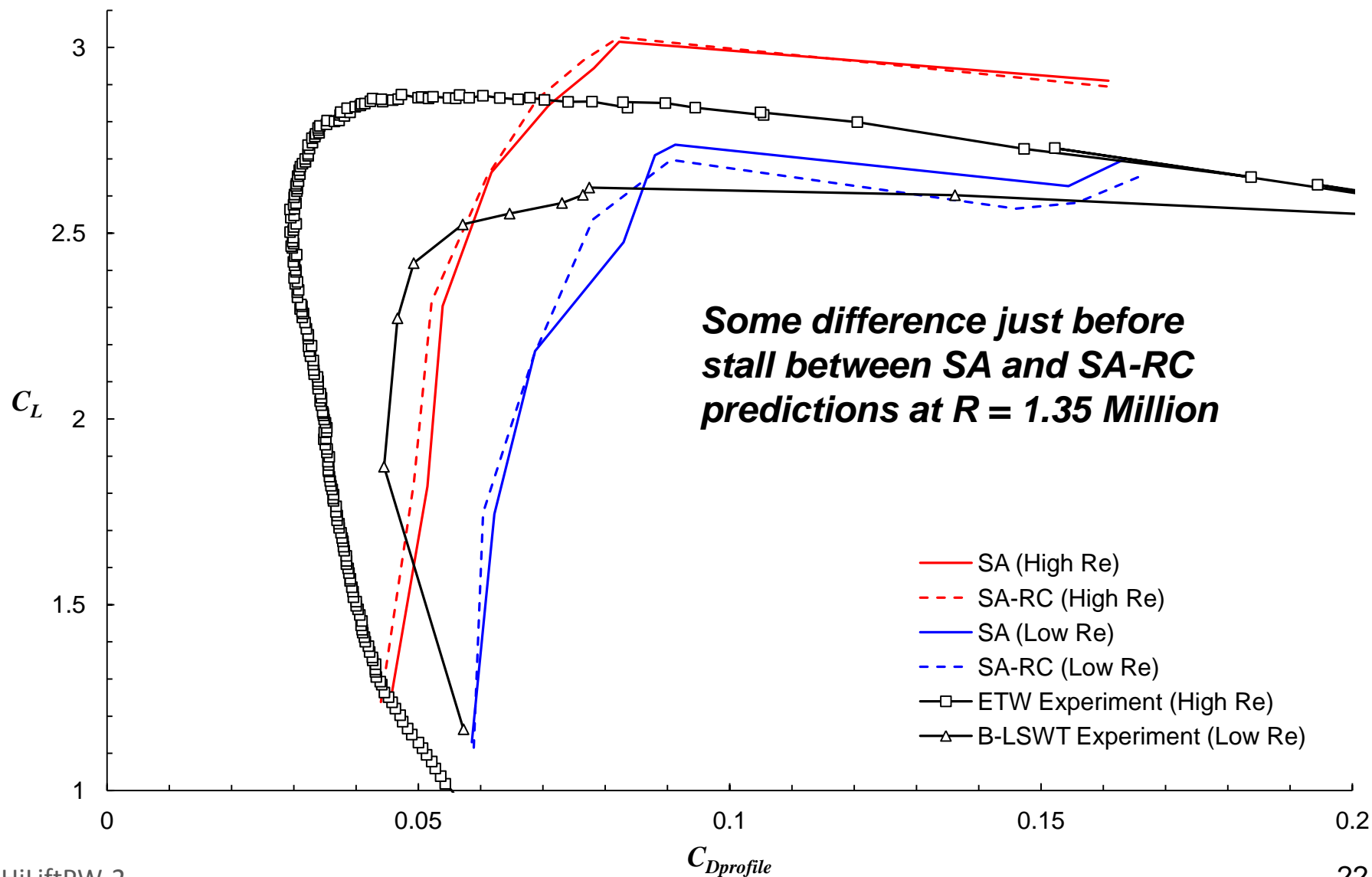


# Reynolds Number Study: Lift Curve



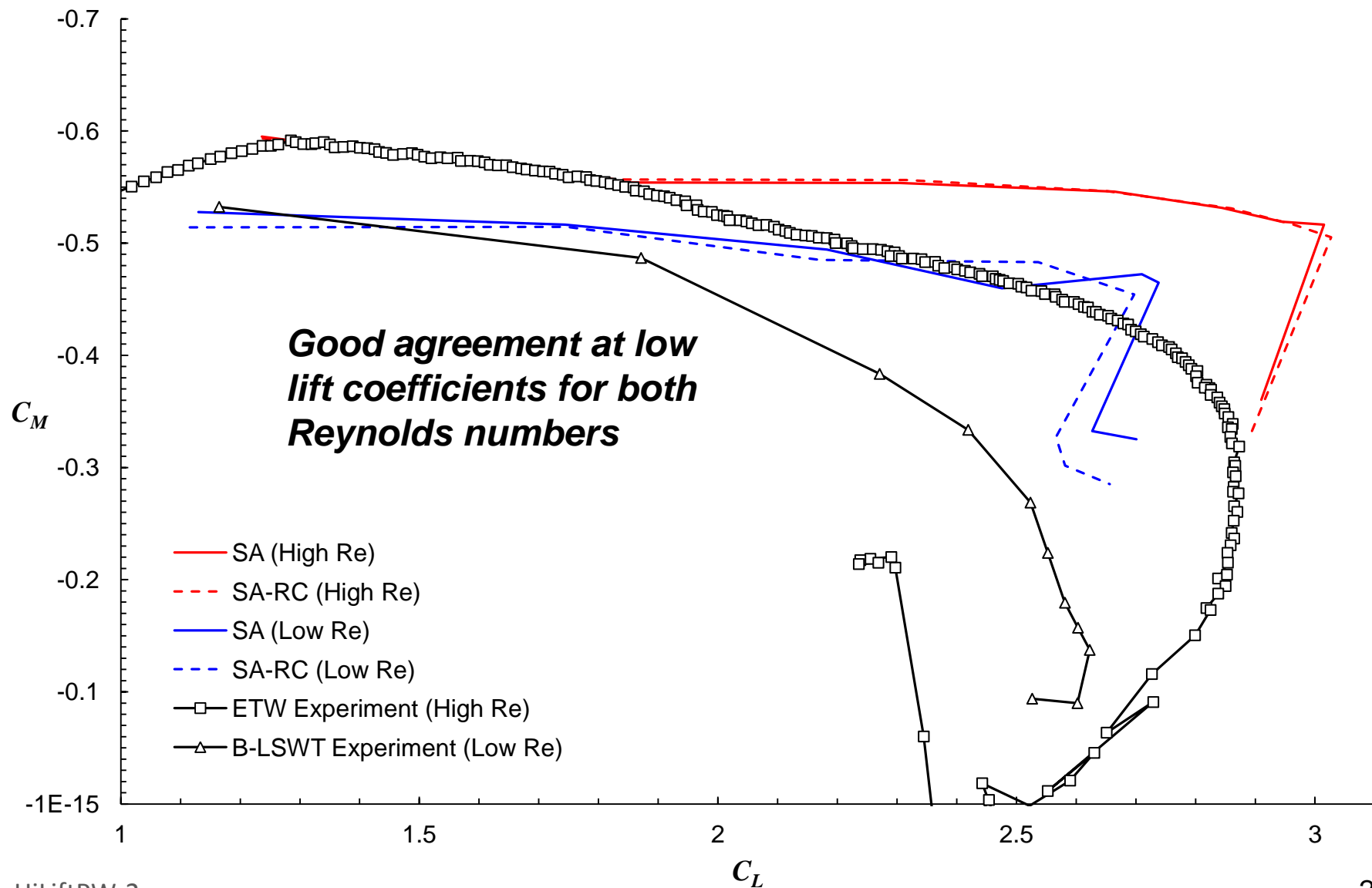


# Reynolds Number Study: Drag Polar





# Reynolds Number Study: Pitching Moment

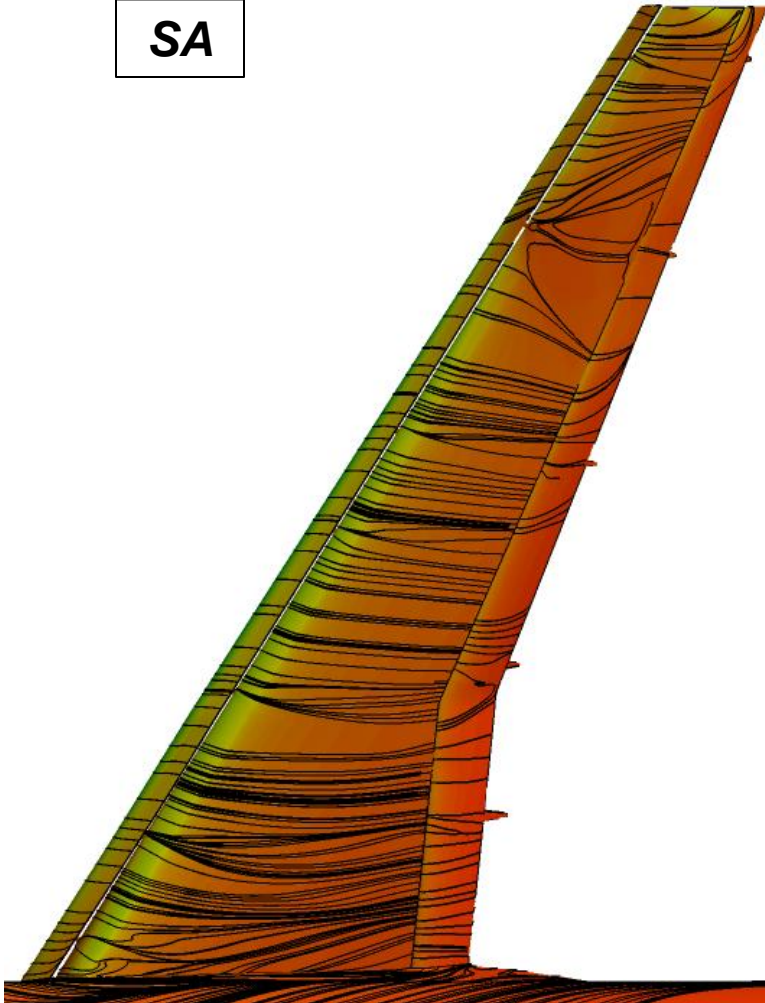




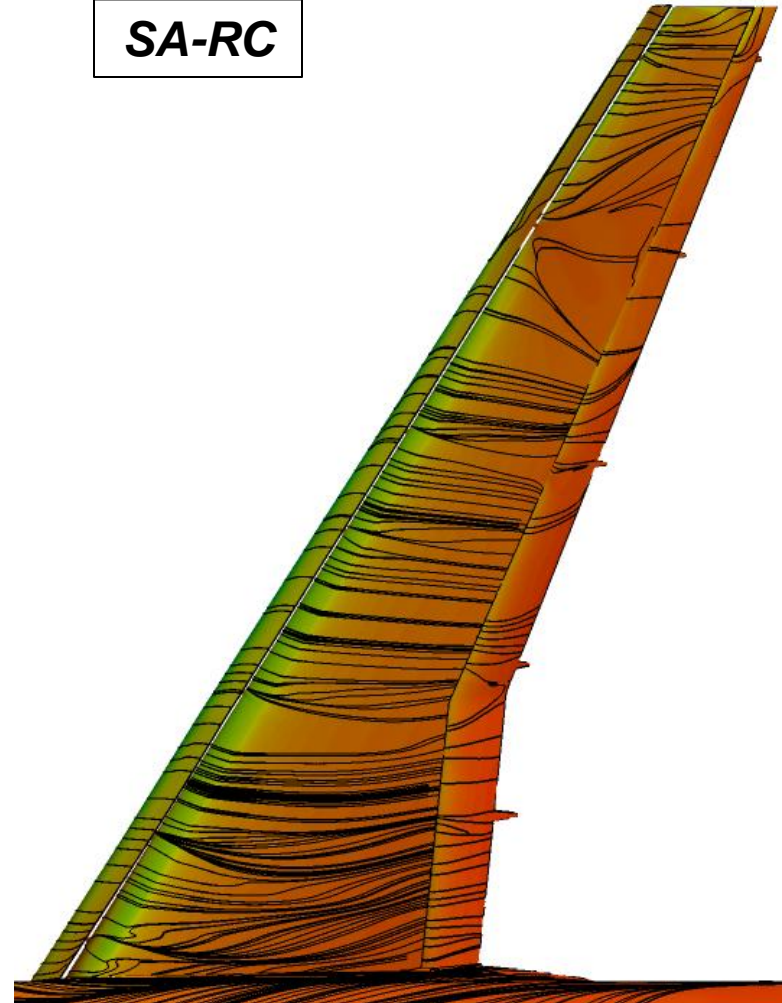


# Effect of RC Correction, Tracks/Fairings On, $R = 1.35$ Million

SA



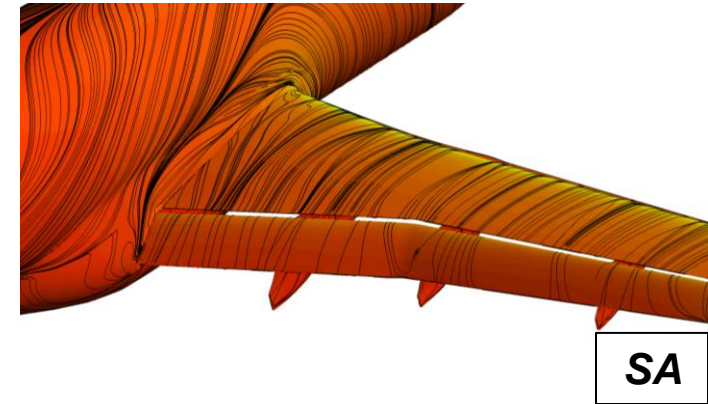
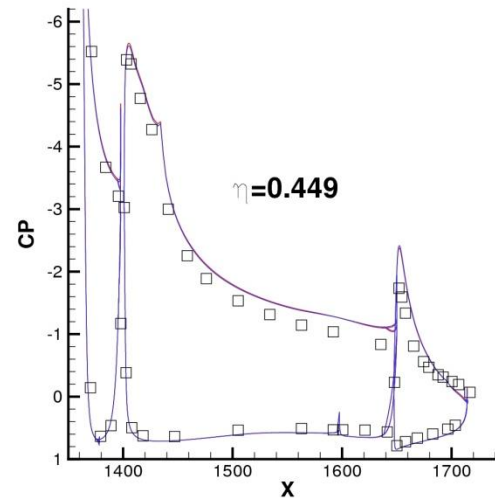
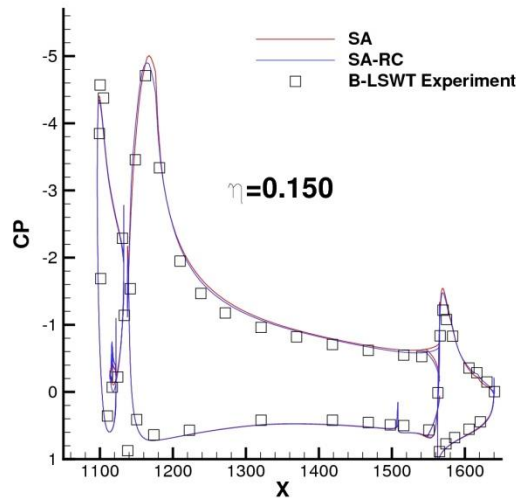
SA-RC



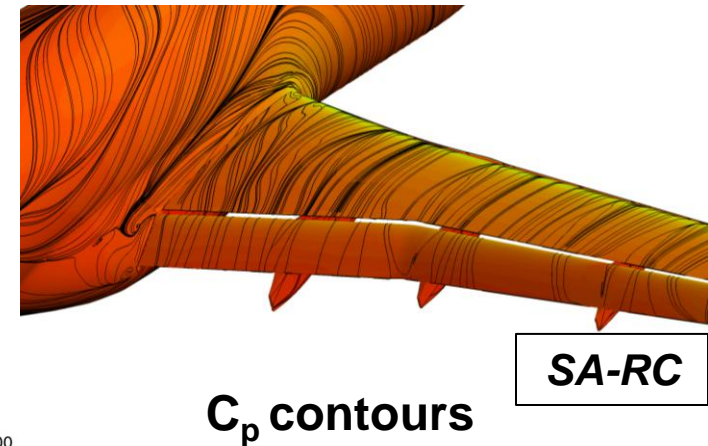
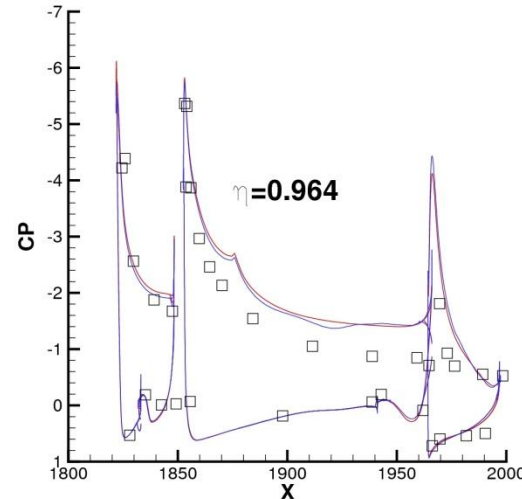
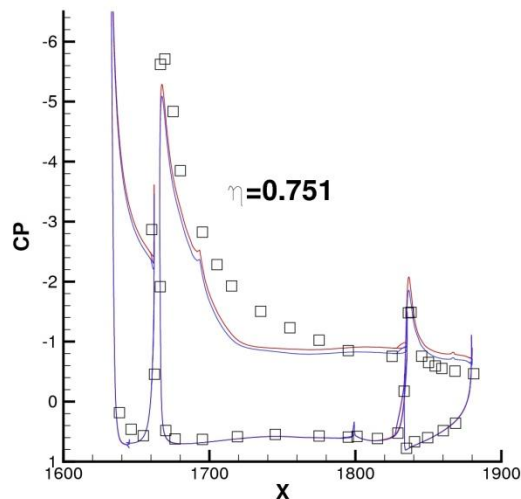




# Effect of RC Correction, Tracks/Fairings On, $R = 1.35$ Million



$R = 1.35e6, \alpha = 21^\circ$



$C_p$  contours



# Transitional Flow Effects (*Case 2c*)



# Transition Modeling

- Amplification Factor Transport Equation (AIAA 2013-0253)

$$\frac{\partial(\rho\tilde{n})}{\partial t} + \frac{\partial(\rho u_j \tilde{n})}{\partial x_j} = \rho \Omega F_{crit} F_{growth} + \frac{\partial}{\partial x_j} \left[ \sigma_n (\mu + \mu_t) \frac{\partial \tilde{n}}{\partial x_j} \right]$$

- Predictive model based on the approximate envelope method of Drela and Giles
  - Models Tollmien-Schlichting transition
- Uses local flow variables and wall distance to estimate the boundary-layer shape factor
  - Parallelizable (no integration paths)
  - Requires free-stream conditions to be available at every grid point
- Insensitive to domain size
  - Transition criterion set critical amplification factor
- Shows improvement over local-correlation methods for predicting flow around airfoils (including multi-element airfoils)



# Transition Modeling

- Applied to the Spalart-Allmaras eddy-viscosity model

$$\frac{D\tilde{\nu}}{Dt} = c_{b1} (1 - f_{t2,mod}) \tilde{S} \tilde{\nu} - \left[ c_{w1} f_w - \frac{c_{b1}}{\kappa^2} f_{t2,mod} \right] \left( \frac{\tilde{\nu}}{d} \right)^2 + \frac{1}{\sigma} \left[ \frac{\partial}{\partial x_j} \left( (\nu + \tilde{\nu}) \frac{\partial \tilde{\nu}}{\partial x_j} \right) + c_{b2} \frac{\partial \tilde{\nu}}{\partial x_j} \frac{\partial \tilde{\nu}}{\partial x_j} \right]$$

- where the  $f_{t2}$  function is modified to

$$f_{t2,mod} = c_{t3} \left[ 1 - \exp(2(\tilde{n} - N_{crit})) \right] \exp \left( -c_{t4} \left( \frac{\tilde{\nu}}{\nu} \right)^2 \right)$$

with  $c_{t3} = 1.2$  and  $c_{t4} = 0.05$

- $N_{crit}$  set to 8.15 for Case 2c
  - Based on reported B-LSWT turbulence levels and Mack's relationship



## Quadratic Constitutive Relation (QCR)

- Non-linear extension to the Boussinesq eddy-viscosity hypothesis proposed by Spalart
  - Original (QCR2000) version implemented into OVERFLOW 2.2f

$$\tau_{ij,QCR} = 2\mu_t \left[ S_{ij} - c_{nl1} \left( O_{ik} S_{jk} + O_{jk} S_{ik} \right) \right]$$

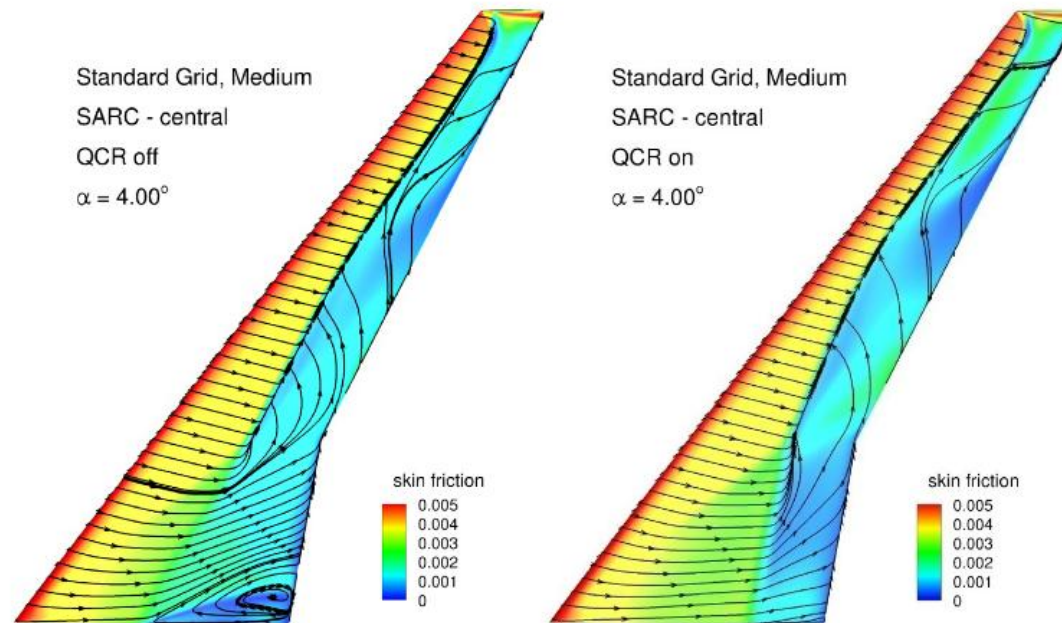
- where  $c_{nl1} = 0.3$  and

$$O_{ik} = \frac{\frac{\partial u_i}{\partial x_k} - \frac{\partial u_k}{\partial x_i}}{\sqrt{\frac{\partial u_m}{\partial x_n} \frac{\partial u_m}{\partial x_n}}}$$

- Higher-order terms demonstrated to improve predictions for corner flows

# Quadratic Constitutive Relation (QCR)

- SA-QCR predicts significantly reduced SOB separation on the CRM wing used for DPW-V

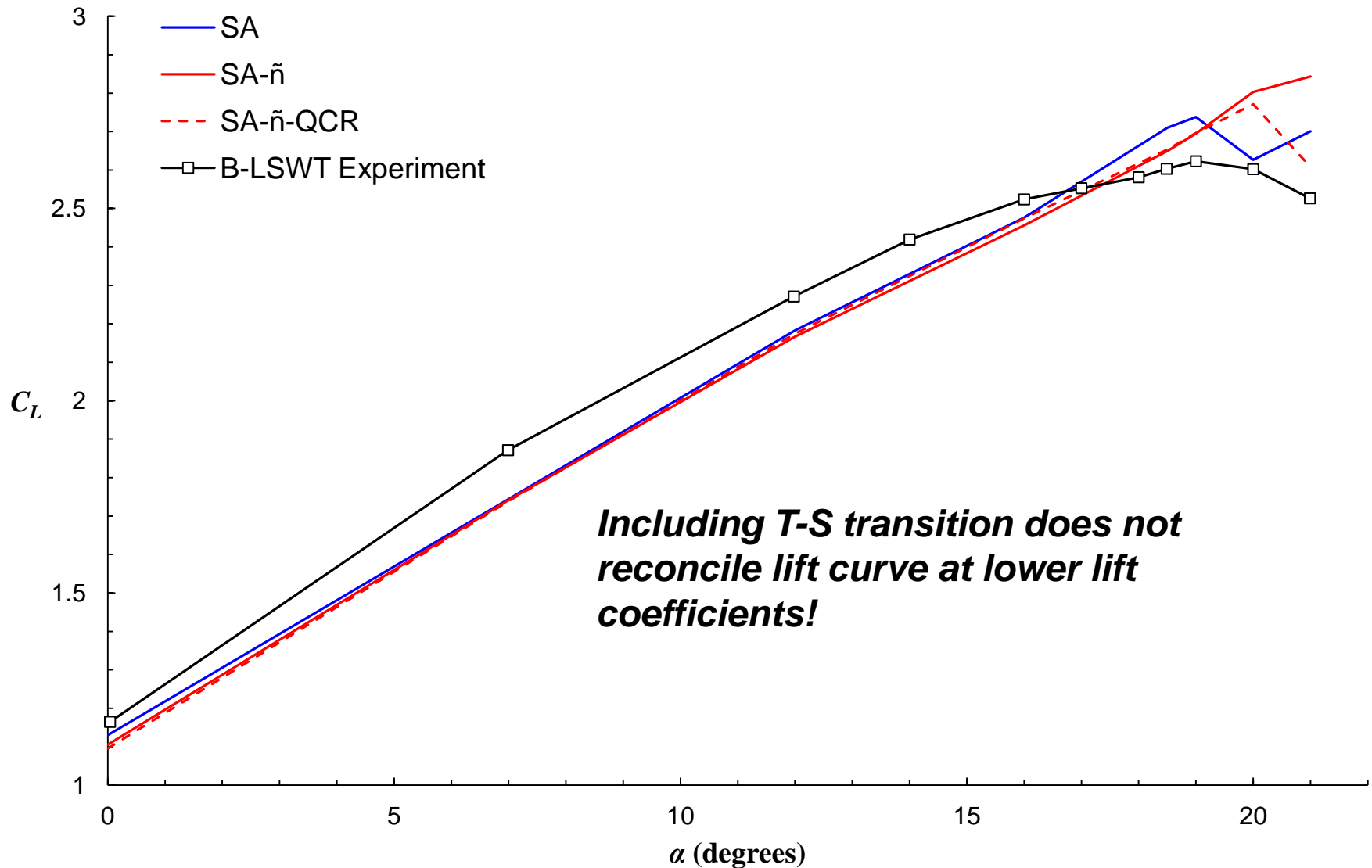


*From Sclafani, et al. (AIAA 2013-0048)*

- Of great interest for HiLiftPW-2 simulations, but only applied to transitional data due to time constraints

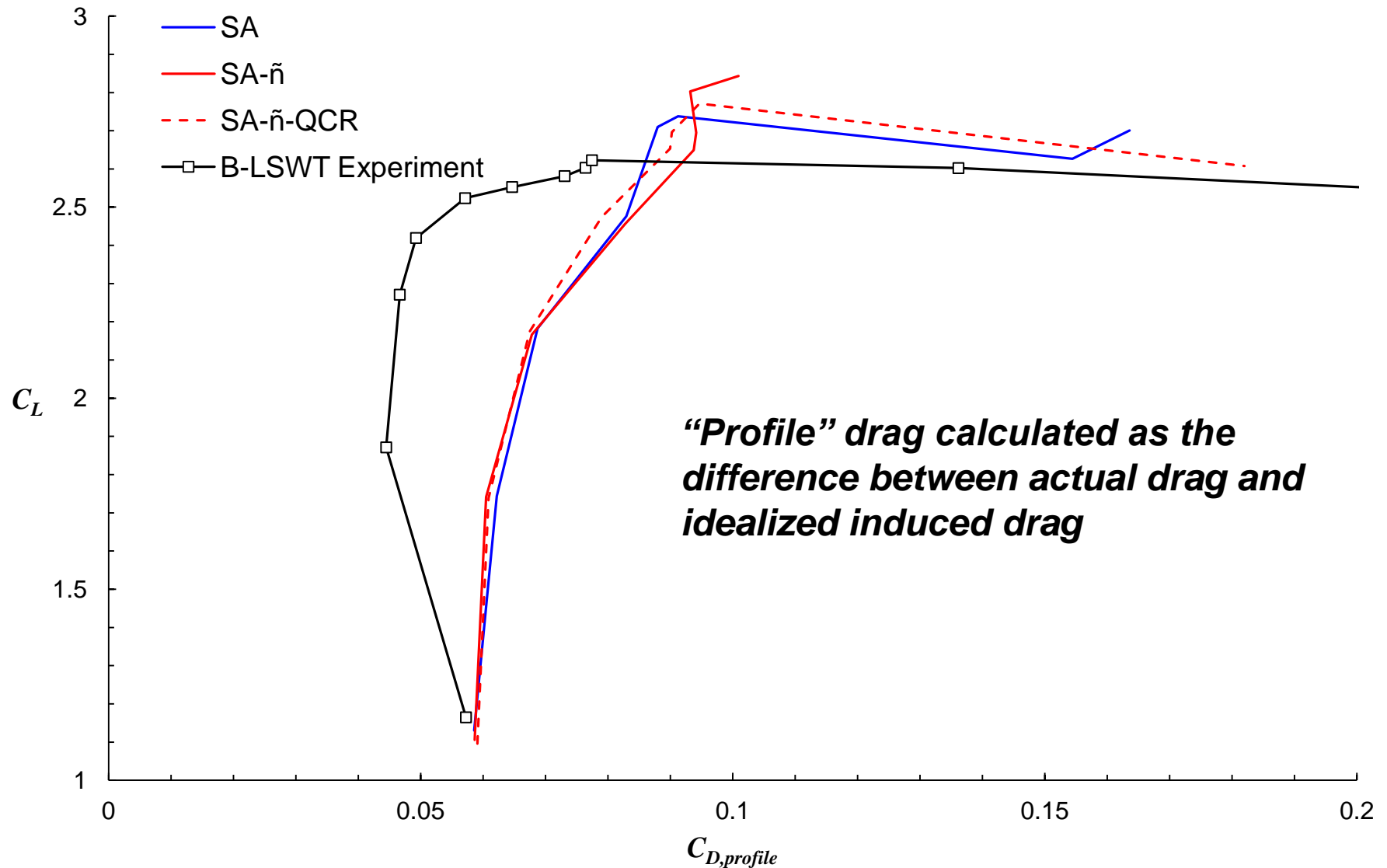


# Transition Study, $R = 1.35$ Million: Lift Curve





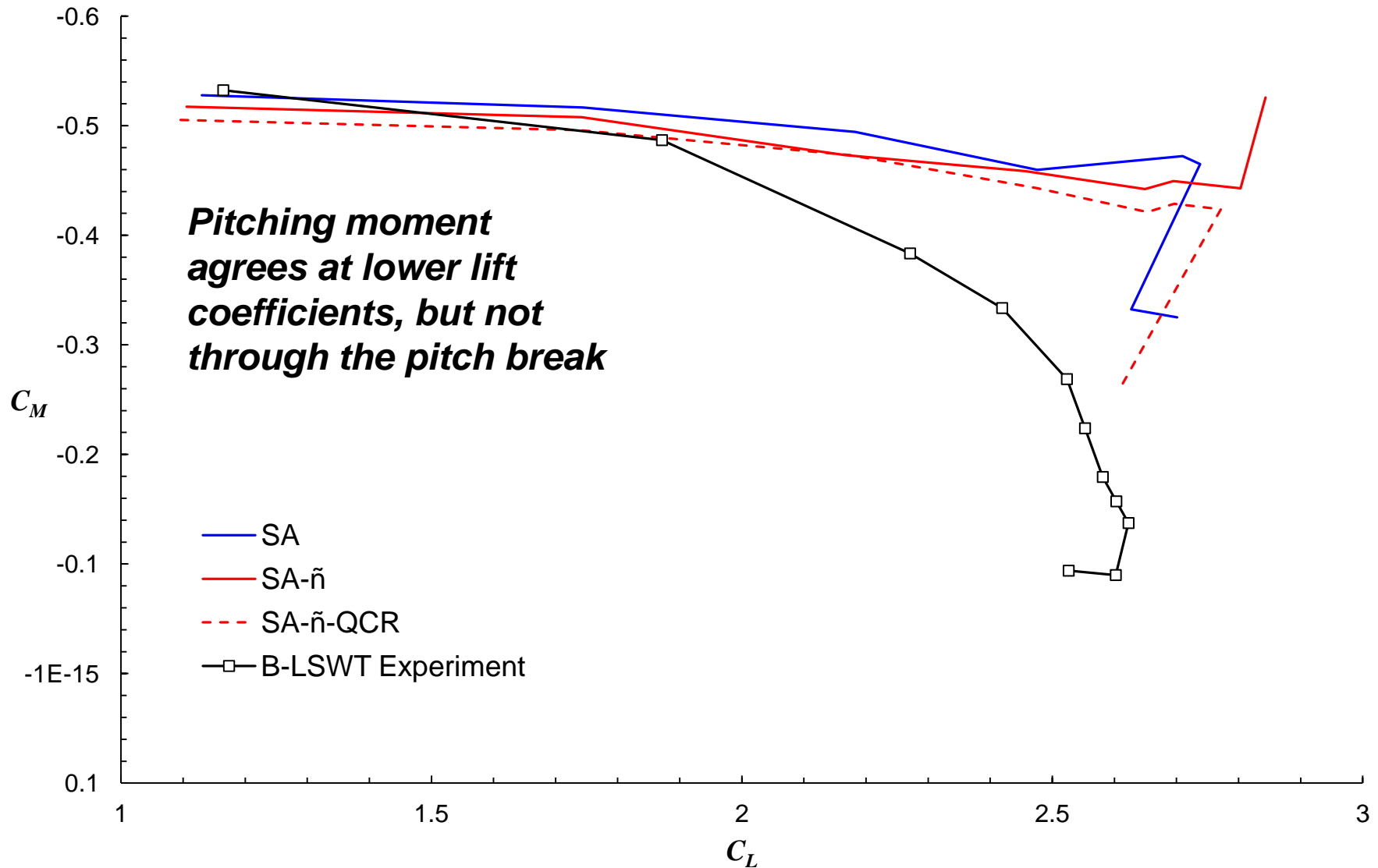
# Transition Study, $R = 1.35$ Million : Drag Polar



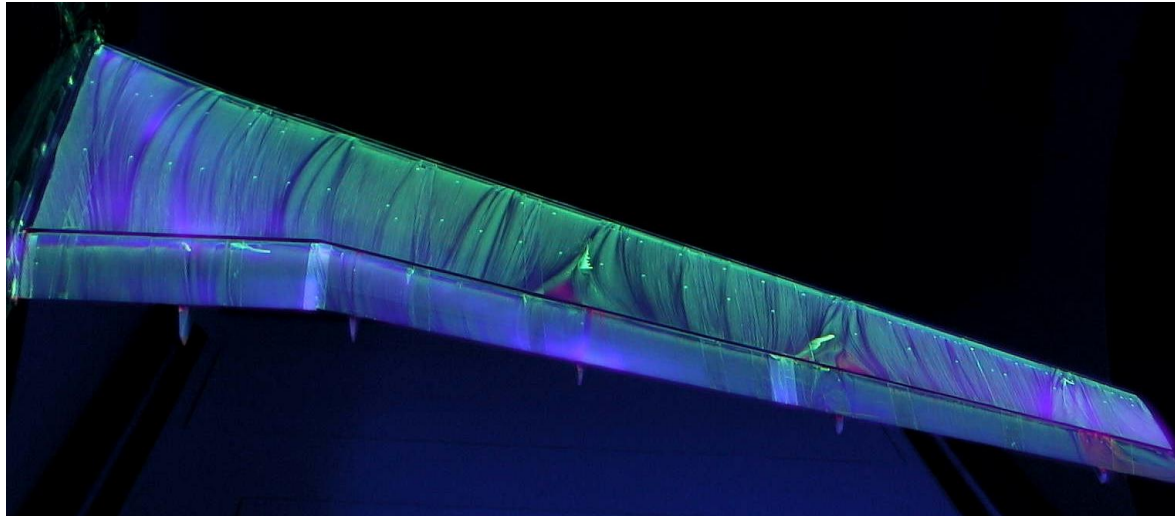




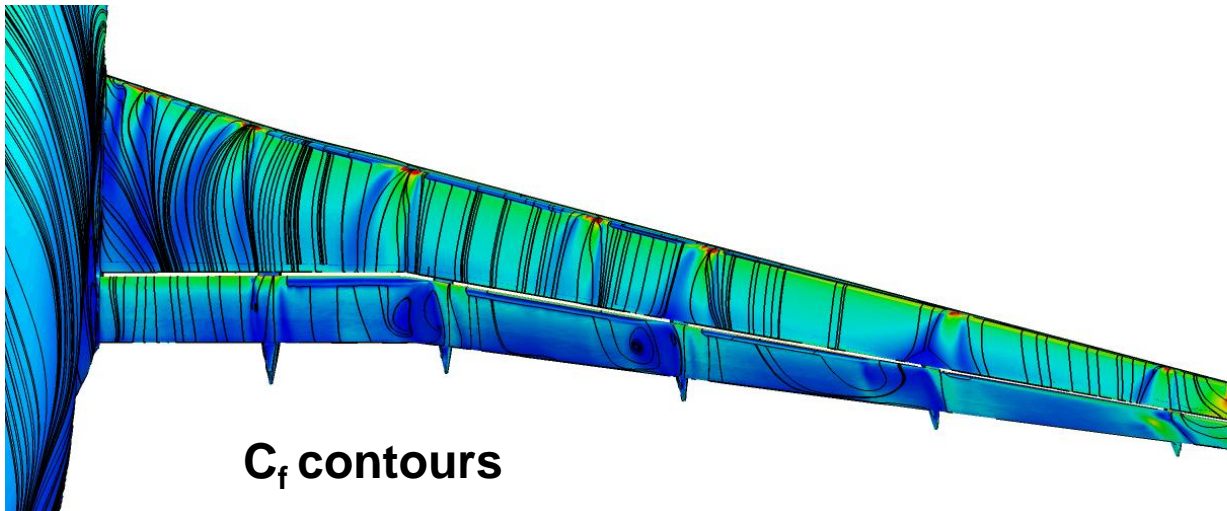
# Transition Study, $R = 1.35$ Million : Pitching Moment



# Surface Streamlines vs. QCR/Transition: $\alpha = 18.5^\circ$



*Experiment shows separation onset on the main element at ~50% and ~75% semispan locations*



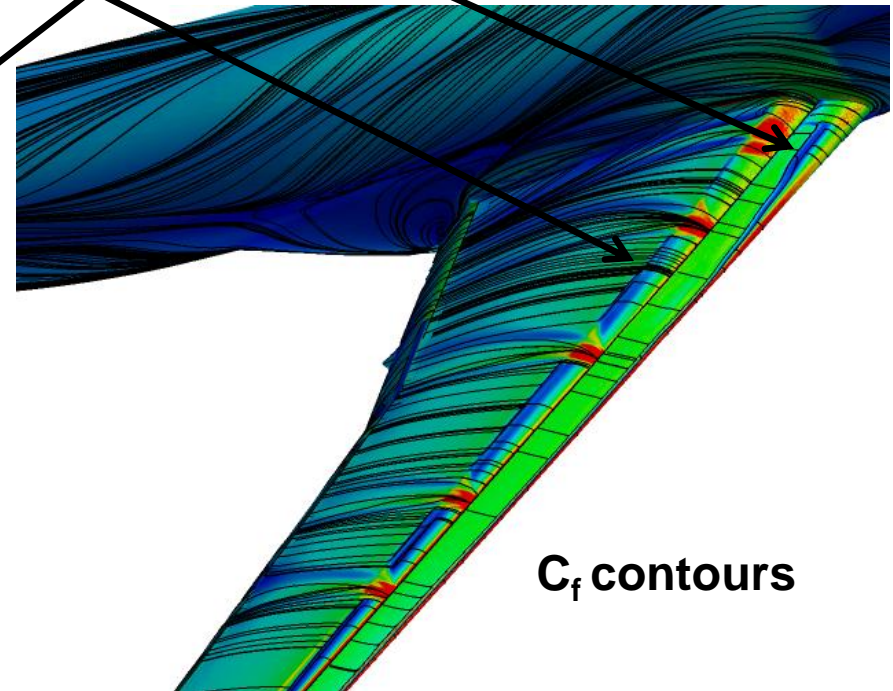
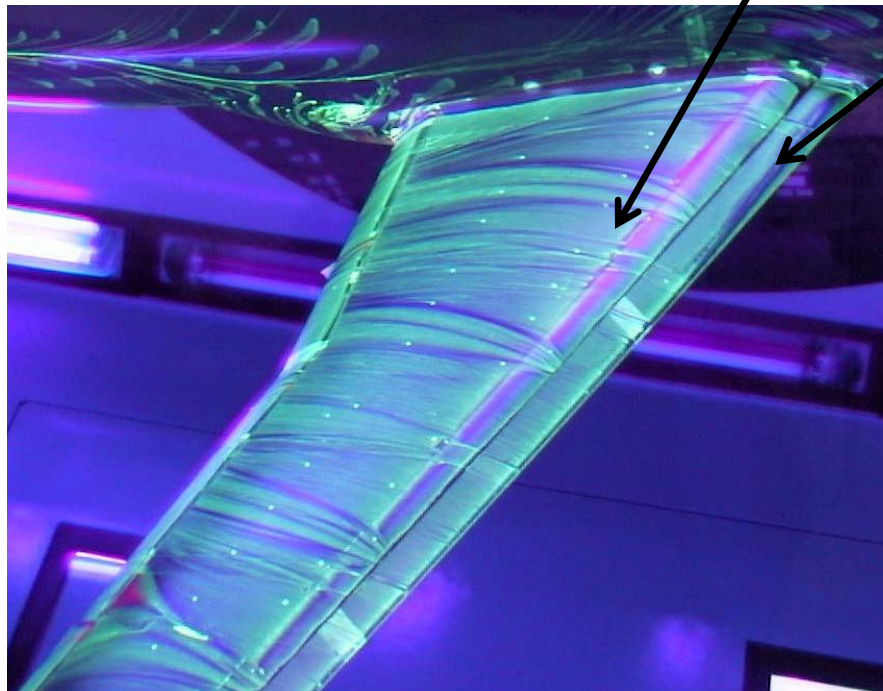
$C_f$  contours

*OVERFLOW predicts onset of separation at 75%, but not at 50%.*

*Separation on flap appears to be more prominent*

# Surface Streamlines vs. QCR/Transition : $\alpha = 18.5^\circ$

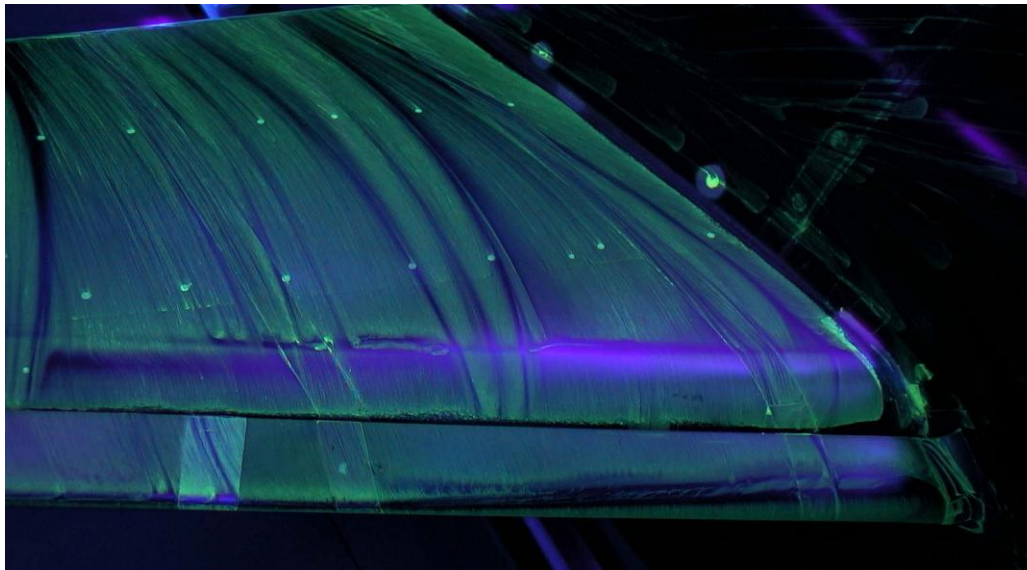
*Good agreement for laminar-separation bubble patterns*







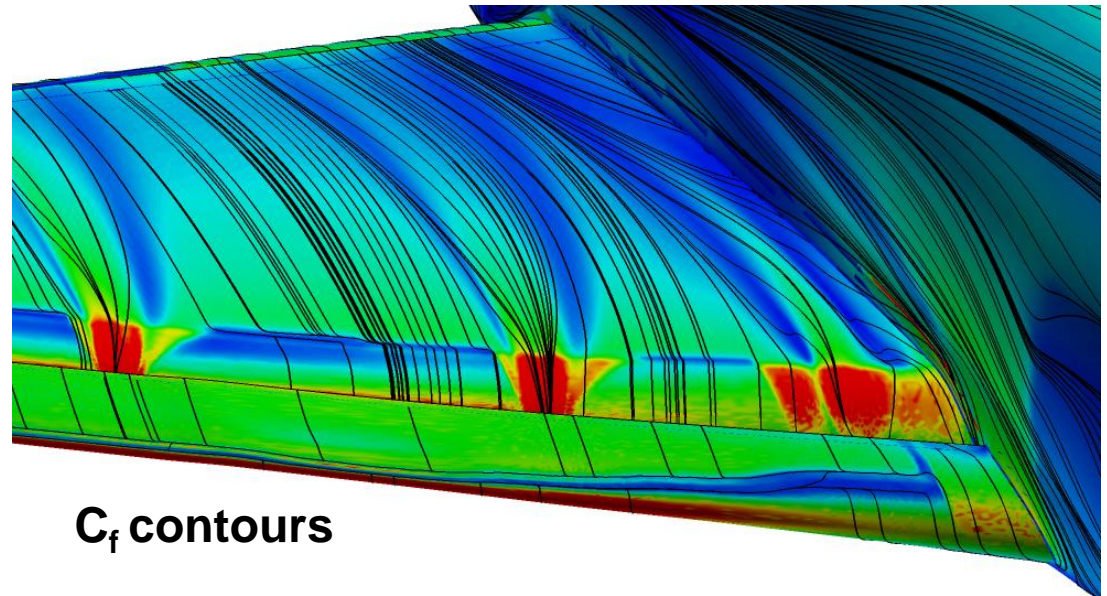
# Surface Streamlines vs. QCR/Transition : $\alpha = 18.5^\circ$



**OVERFLOW** solution  
shows contamination on  
the slat and main element  
near the root

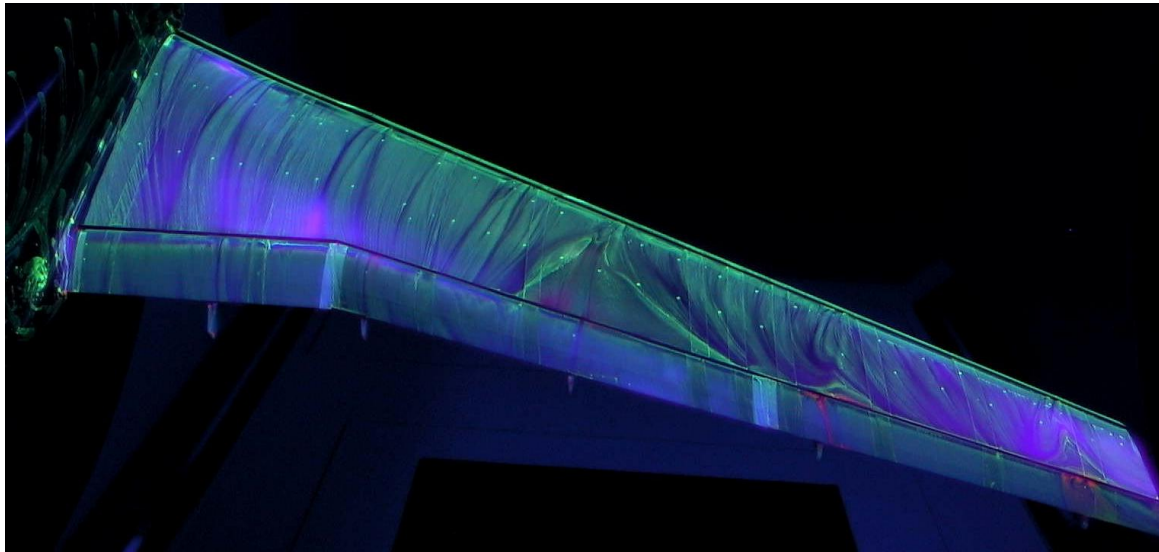
*This behavior for the slat  
seems to agree with  
experiment*

**Laminar-separation  
patterns are well-  
predicted outboard of  
the contaminated region**

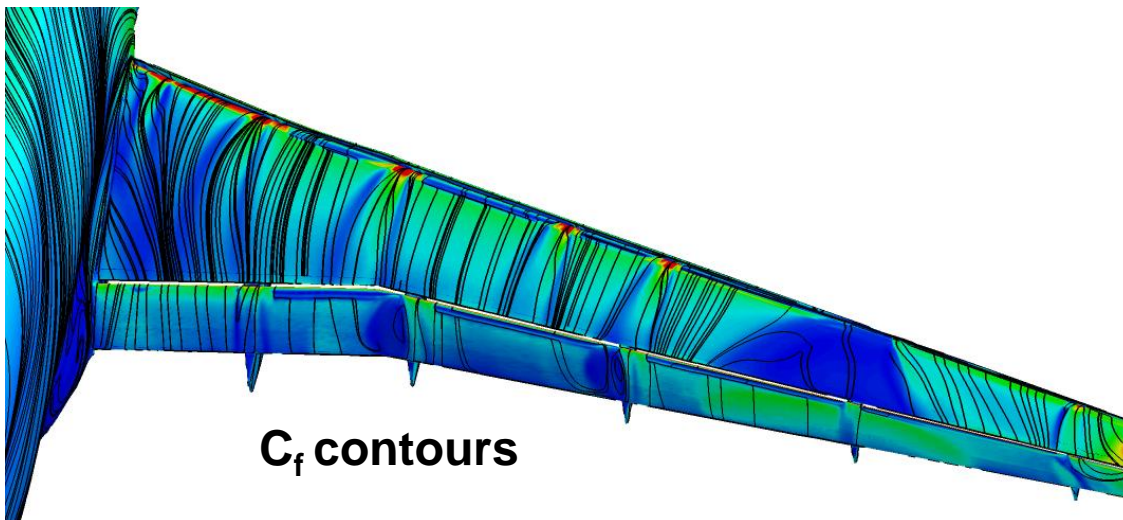


$C_f$  contours

# Surface Streamlines vs. QCR/Transition : $\alpha = 21^\circ$



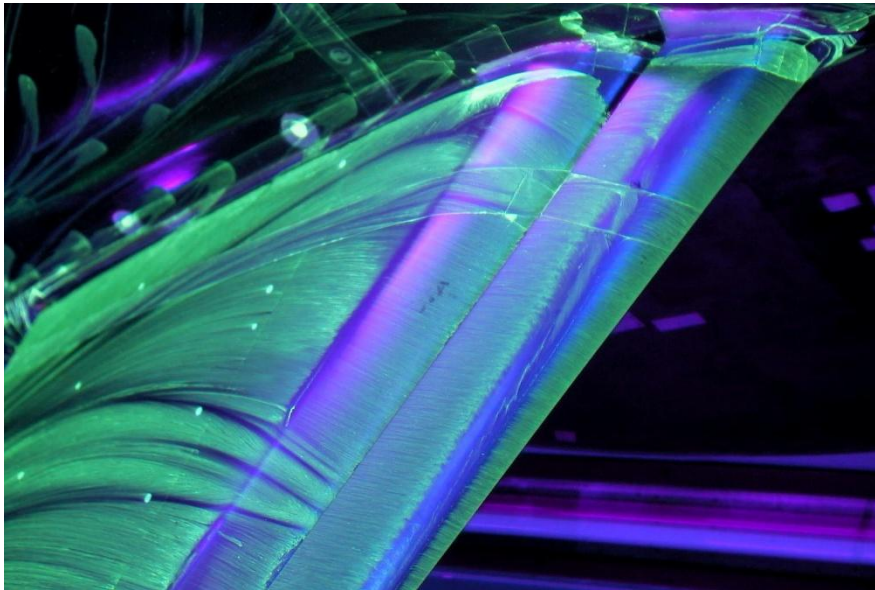
*Experiment shows large separated region mid-span causing wing stall*



*OVERFLOW predicts stall-causing separation farther outboard*

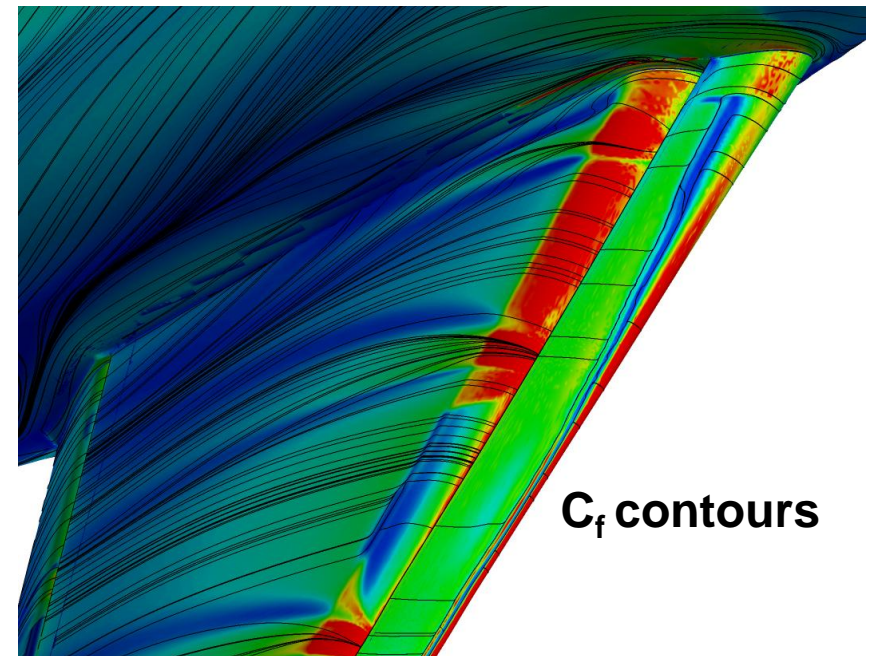


# Surface Streamlines vs. QCR/Transition: $\alpha = 21^\circ$



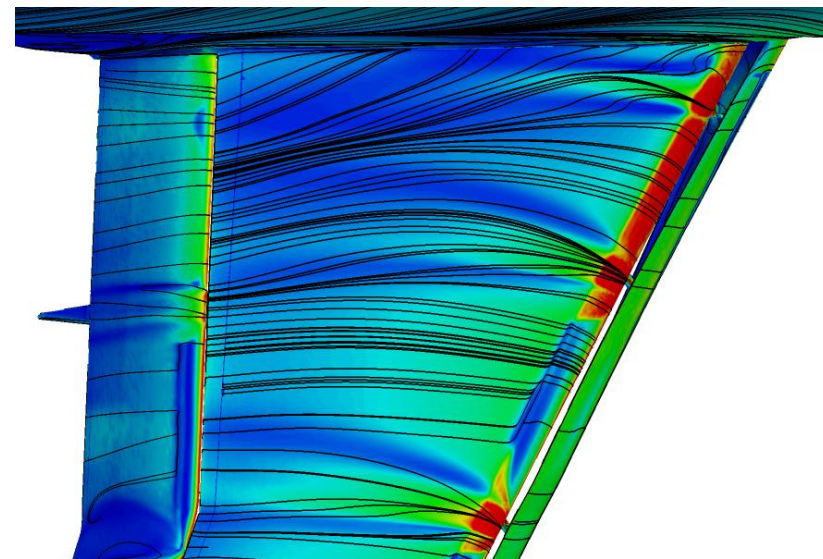
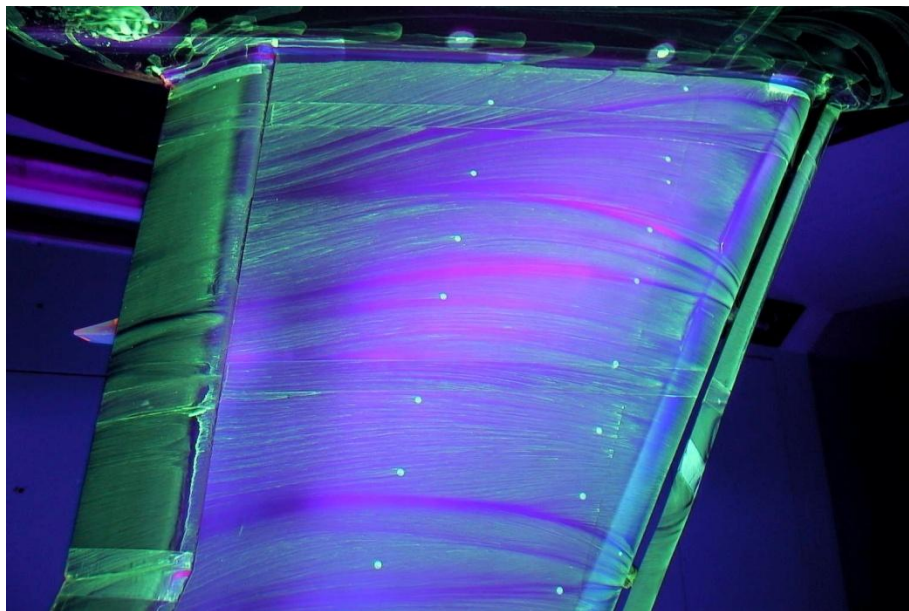
*Root contamination on the main element is more prominent, but still contained on slat*

*Seems to be the result of slat wake contamination (essentially bypass transition) rather than leading-edge contamination*



## Surface Streamlines vs. QCR/Transition : $\alpha = 21^\circ$

***Contamination occurs on the flap as well near the root***



***Preliminary studies indicate it being a result of excessive eddy-viscosity production***

***More investigation required into this behavior***



## Some Conclusions and Future Work

- Behavior dominated by trailing-edge separation
  - Shift in zero-lift angle of attack
  - Relatively soft stall behavior
  - Choice of turbulence model has strong influence
- OVERFLOW failed to predict spanwise location of upper-surface separation wedge
  - Experiment showed  $\eta \approx 50\%$
  - OVERFLOW predicted  $\eta \approx 75\%$
- Transition modeling had little effect on the predictions
  - Slight reduction in profile drag
  - Not enough to reconcile CFD predictions with experiment
  - More transition models need to be explored!





## Acknowledgments

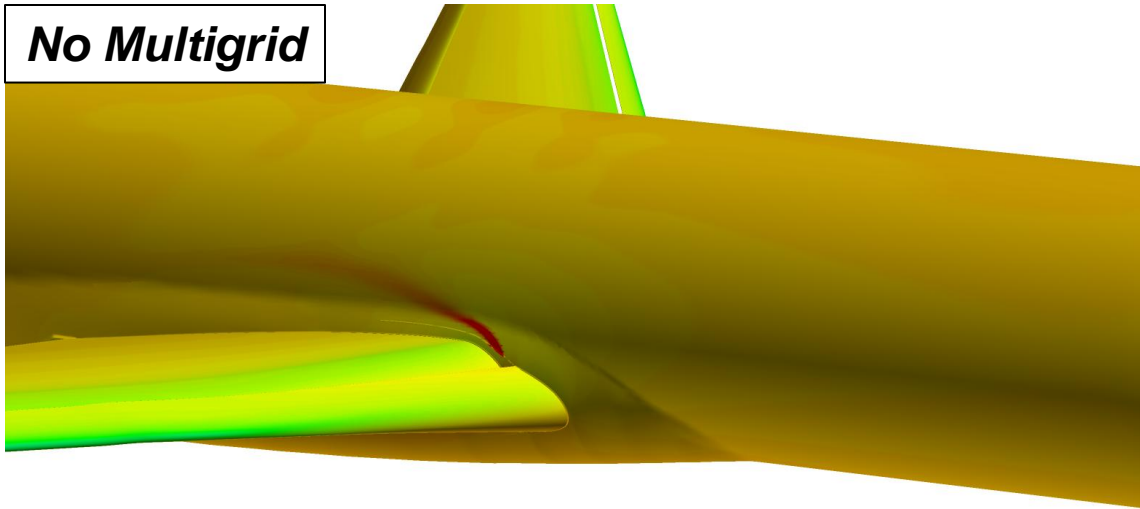
- HiLiftPW-2 Organizing Committee
- Boeing Research & Technology, Huntington Beach
- Professor Mark Maughmer, Penn State University
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**Thank you for your time**

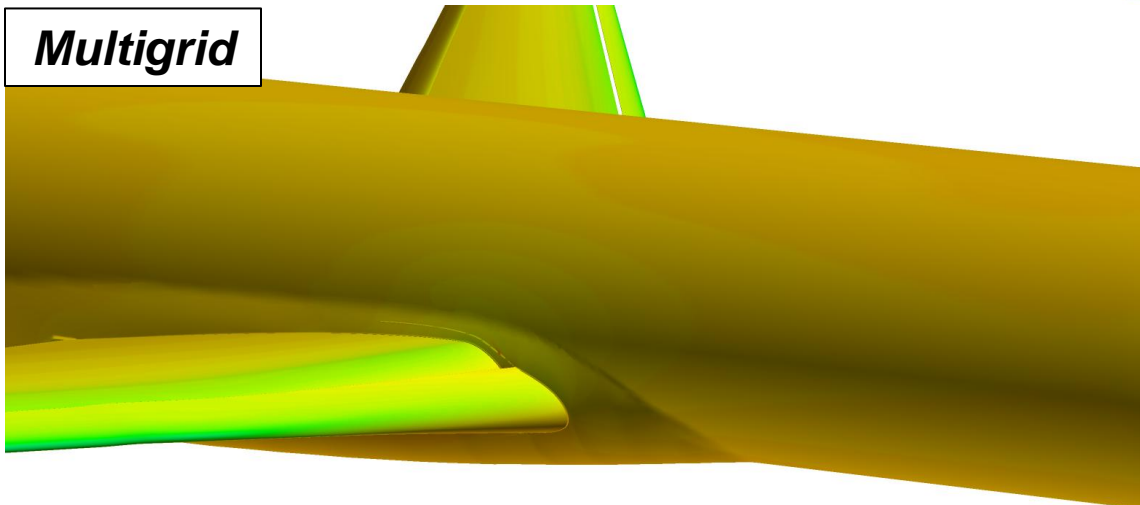
**Questions?**

**No Multigrid**



***Without multigrid acceleration, solution locally destabilized on the medium grid but produced reasonable forces/moments***

**Multigrid**



***Multigrid stabilized the solution, but barely affected the lift, drag, and pitching moment in comparison***

**Density contours,  $R = 15.1e6$ ,  $\alpha = 18.5^\circ$**